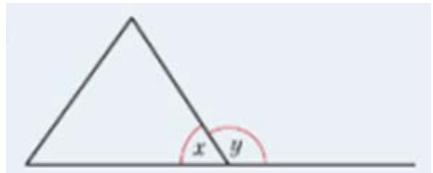


In a right-angled triangle, the longest side is called the hypotenuse and is opposite the right-angle.

When one side of a triangle is extended at the vertex, it forms an **exterior** angle.
 x is the **interior** angle.
 y is the **exterior** angle. $x + y = 180^\circ$



The sum of the interior angles of a polygon with n sides = $(n-2) \times 180^\circ$

The sum of the **exterior** angles of a polygon is always 360°

SOH

CAH

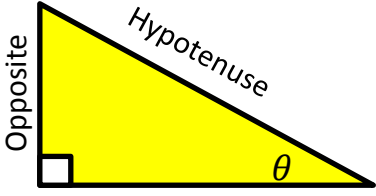
TOA

Sine Ratio

$Opp = \sin \theta \times Hyp$

$Hyp = \frac{Opp}{\sin \theta}$

$\sin^{-1} \theta = \frac{Opp}{Hyp}$

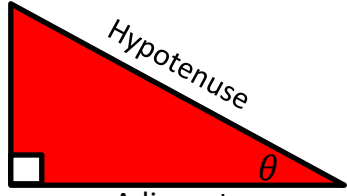


Cosine Ratio

$Adj = \cos \theta \times Hyp$

$Hyp = \frac{Adj}{\cos \theta}$

$\cos^{-1} \theta = \frac{Adj}{Hyp}$



The side opposite the angle θ is called the **opposite**.

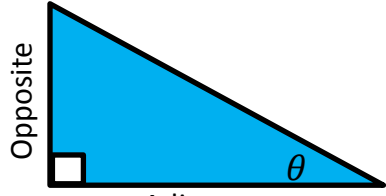
The side that is next to angle θ is the **adjacent**.

Tangent Ratio

$Opp = \tan \theta \times Adj$

$Adj = \frac{Opp}{\tan \theta}$

$\tan^{-1} \theta = \frac{Opp}{Adj}$

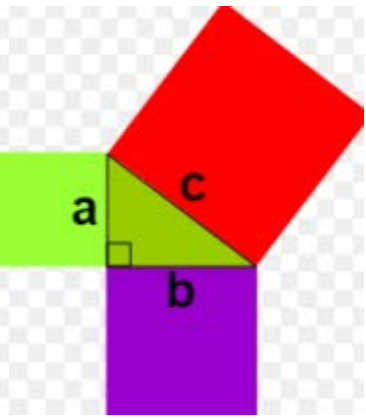


Pythagoras' Theorem

$a^2 + b^2 = c^2$

To find **hypotenuse**:
Square side a
Square side b
Add together
Square root

To find shorter side:
Square side c
Square side a or b
Subtract a or b from c
Square root



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To get \sin^{-1} , \cos^{-1} and \tan^{-1} press shift on the calculator and then the corresponding ratio.

θ	0°	30°	45°	60°	90°
$\sin \theta$	0	$\frac{1}{2}$	$\frac{1}{\sqrt{2}}$	$\frac{\sqrt{3}}{2}$	1
$\cos \theta$	1	$\frac{\sqrt{3}}{2}$	$\frac{1}{\sqrt{2}}$	$\frac{1}{2}$	0
$\tan \theta$	0	$\frac{1}{\sqrt{3}}$	1	$\sqrt{3}$	

The exact **sine**, **cosine** and **tangent** of some angles are in this table.

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[V330](#)
[V331](#)