

RESEARCH ARTICLE

A Quantitative Model of the GIRK1/2 Channel Reveals That Its Basal and Evoked Activities Are Controlled by Unequal Stoichiometry of $G\alpha$ and $G\beta\gamma$

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Abstract

G protein-gated K^+ channels (GIRK; Kir3), activated by $G\beta\gamma$ subunits derived from $G_{i/o}$ proteins, regulate heartbeat and neuronal excitability and plasticity. Both neurotransmitter-evoked (I_{evoked}) and neurotransmitter-independent basal (I_{basal}) GIRK activities are physiologically important, but mechanisms of I_{basal} and its relation to I_{evoked} are unclear. We have previously shown for heterologously expressed neuronal GIRK1/2, and now show for native GIRK in hippocampal neurons, that I_{basal} and I_{evoked} are interrelated: the extent of activation by neurotransmitter (activation index, R_a) is inversely related to I_{basal} . To unveil the underlying mechanisms, we have developed a quantitative model of GIRK1/2 function. We characterized single-channel and macroscopic GIRK1/2 currents, and surface densities of GIRK1/2 and $G\beta\gamma$ expressed in *Xenopus* oocytes. Based on experimental results, we constructed a mathematical model of GIRK1/2 activity under steady-state conditions before and after activation by neurotransmitter. Our model accurately recapitulates I_{basal} and I_{evoked} in *Xenopus* oocytes, HEK293 cells and hippocampal neurons; correctly predicts the dose-dependent activation of GIRK1/2 by coexpressed $G\beta\gamma$ and fully accounts for the inverse $I_{\text{basal}}-R_a$ correlation. Modeling indicates that, under all conditions and at different channel expression levels, between 3 and 4 $G\beta\gamma$ dimers are available for each GIRK1/2 channel. In contrast, available $G\alpha_{i/o}$ decreases from ~2 to less than one $G\alpha$ per channel as GIRK1/2's density increases. The persistent $G\beta\gamma$ /channel (but not $G\alpha$ /channel) ratio support a strong association of GIRK1/2 with $G\beta\gamma$, consistent with recruitment to the cell surface of $G\beta\gamma$, but not $G\alpha$, by GIRK1/2. Our analysis suggests a maximal stoichiometry of 4 $G\beta\gamma$ but only 2 $G\alpha_{i/o}$ per one GIRK1/2 channel. The unique, unequal association of GIRK1/2 with G protein subunits,

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and the cooperative nature of GIRK gating by G $\beta\gamma$, underlie the complex pattern of basal and agonist-evoked activities and allow GIRK1/2 to act as a sensitive bidirectional detector of both G $\beta\gamma$ and G α .

Author Summary

Many neurotransmitters and hormones inhibit the electric activity of excitable cells (such as cardiac cells and neurons) by activating a K⁺ channel, GIRK (G protein-gated Inwardly Rectifying K⁺ channel). GIRK channels also possess constitutive “basal” activity which contributes to regulation of neuronal and cardiac excitability and certain disorders, but the mechanism of this activity and its interrelation with the neurotransmitter-evoked activity are poorly understood. In this work we show that key features of basal and neurotransmitter-evoked activities are similar in cultured hippocampal neurons and in two model systems (mammalian HEK293 cells and *Xenopus* oocytes). Using experimental data of the neuronal GIRK1/2 channel function upon changes in GIRK and G protein concentrations, we constructed a mathematical model that quantitatively accounts for basal and evoked activity, and for the inverse correlation between the two. Our analysis suggests a novel and unexpected mechanism of interaction of GIRK1/2 with the G protein subunits, where the tetrameric GIRK channel can assemble with 4 molecules of the G $\beta\gamma$ subunits but only 2 molecules of G α . GIRK is a prototypical effector of G $\beta\gamma$, and the unequal stoichiometry of interaction with G protein subunits may have general implications for G protein signaling.

Introduction

G proteins and the linked G protein-coupled receptors (GPCRs) are prominent regulators of excitability, which activate or inhibit ion channels by a variety of mechanisms [1]. This paper focuses on the quantitative analysis of the classical GPCR-initiated signaling cascade that culminates in the activation of GIRK channels (G protein-gated K⁺ channel; Kir3). GIRKs are important transducers of inhibitory neurotransmitter effects in heart and brain. They regulate heartbeat, neuronal excitability and plasticity, analgesia, alcohol and drug effects, and are implicated in a number of disorders such as epilepsy, Down syndrome, bipolar disorder, atrial fibrillation and primary aldosteronism [2,3,4,5,6]. GIRK is also the first-discovered effector of G $\beta\gamma$ [7] and a prototypical model of membrane-delimited G protein signaling. In the now classical scheme, the agonist-bound GPCR catalyzes GDP/GTP exchange at G α and the separation of G $\alpha_{i/o}$ ^{GTP} from G $\beta\gamma$; G $\beta\gamma$ directly binds to GIRK and triggers channel opening [8,9,10,11].

Mammalian GIRKs are usually heterotetramers of GIRK1 with one of the other subunits (GIRK2, GIRK3 and GIRK4). GIRK1/2 is predominant in mammalian brain, but heterotetrameric GIRK1/3, GIRK2/3 and homotetrameric GIRK2 are also abundant in certain brain regions [2]. A GIRK channel is activated by direct binding of up to 4 molecules of G $\beta\gamma$, but partial activation is achieved by binding of 1–3 G $\beta\gamma$ molecules [12,13,14,15,16]. NMR studies [17], crystal structure [18] and docking models [19] of GIRK-G $\beta\gamma$ complexes have confirmed the 4:1 G $\beta\gamma$:GIRK stoichiometry, showing binding of one G $\beta\gamma$ to each interface between adjacent GIRK subunits. Further, a strong association of GIRKs with G $\beta\gamma$ has been suggested by co-immunoprecipitation and Förster/Bioluminescence Resonance Energy Transfer (FRET/BRET, respectively) [20,21,22,23,24]. In support, in *Xenopus* oocytes, GIRK1-containing channels

recruit G $\beta\gamma$ to the plasma membrane (PM) [25]. GIRK also binds G $\alpha_{i/o}$ subunits which regulate the channel's basal activity, specificity and kinetics of signaling [26,27,28,29,30,31,32,33,34], but the mechanisms are poorly understood. No FRET between GIRK subunits and G $\alpha_{i/o}$ could be detected in the PM [24,35,36]; GIRK1 does not recruit G α_i to the PM [25] and binds G $\alpha_{i/o}$ *in vitro* less strongly than G $\beta\gamma$ [36]. The stoichiometry of G α -GIRK interaction is unknown.

Traditionally, GIRKs have been regarded as inhibitory devices operated exclusively by inhibitory neurotransmitters which elicit the GIRK's evoked response (I_{evoked}). However, recent studies revealed that neuronal GIRKs also have a substantial basal activity, I_{basal} [37,38,39]. GIRK's basal activity and the balance between I_{basal} and I_{evoked} are important determinants of neuronal excitability [39,40], bistability of neuronal networks [41], neuronal plasticity [42,43,44], dendritic integration [45], atrial arrhythmia and remodeling [46], and have recently been proposed to be related to effects of Li⁺, a drug used in the treatment of bipolar disorder [47]. Thus, changes in I_{basal} and its relation to I_{evoked} are physiologically relevant and need to be understood.

The molecular mechanisms of I_{basal} and I_{evoked} have been extensively studied in heterologous model systems, mainly *Xenopus* oocytes and human embryonic kidney (HEK) cells (e.g. [48,49]). We discovered that, for the neuronal GIRK1/2, I_{basal} and I_{evoked} are coupled. Incremental expression of GIRK1/2 in *Xenopus* oocytes revealed an inverse correlation between I_{basal} and the extent of activation by transmitter. The higher I_{basal} , the smaller the index of activation by the transmitter (R_a) and by coexpressed G $\beta\gamma$ ($R_{\beta\gamma}$) [30]. The I_{basal} - I_{evoked} coupling was regulated by G α_i : coexpression of G α_{i3} reduced I_{basal} , increased agonist- and G $\beta\gamma$ -induced GIRK currents (a phenomenon we dubbed "priming" by G $\alpha_{i/o}$), and eliminated the inverse correlation between I_{basal} and R_a [30,31,50,51]. These findings compelled an unusual explanation of the underlying mechanism. We proposed that G $\beta\gamma$ available for GIRK regulation is in excess over G $\alpha_{i/o}$, thus the high I_{basal} of GIRK1/2. We suggested that the magnitude of I_{basal} and its relation to I_{evoked} are crucially regulated by the availability of G $\alpha_{i/o}$ [30,31,50]. Here we demonstrate that cultured hippocampal neurons show the same inverse relation between I_{basal} and R_a as previously found in oocytes and HEK cells. This prompted us to further use these heterologous systems to address the coupling between GIRK's basal and evoked activity.

In the present work we have developed a quantitative model for I_{basal} and I_{evoked} of GIRK1/2, which uses experimentally determined micro- and macroscopic parameters of GIRK1/2 currents and surface densities and accurately simulates and predicts macroscopic GIRK1/2 currents under a variety of conditions. Furthermore, modeling allowed to assess the apparent molar ratios of G α and G $\beta\gamma$ available for GIRK, which we term "functional stoichiometry". Our analysis reveals that, in *Xenopus* oocytes, HEK cells, and hippocampal neurons, 3 to 4 G $\beta\gamma$ molecules are available for the activation of GIRK1/2 channel over a wide range of surface densities of the channel, even when no exogenous G $\beta\gamma$ is coexpressed with GIRK. Calculations in *Xenopus* oocytes suggest a substantial increase in total concentration of G $\beta\gamma$ in the PM when large amounts of GIRK1/2 are expressed, corroborating the proposed mechanism of recruitment of G $\beta\gamma$ by GIRK1 to the PM [25]. In contrast, modeling shows that at most two G α molecules are available for channel's activation, even after overexpression of G α_{i3} . Furthermore, the G α /GIRK ratio decreases with increasing channel density. The unequal and variable stoichiometry of GIRK1/2-associated G α and G $\beta\gamma$ qualitatively and quantitatively explains the inverse R_a - I_{basal} relation. Our results indicate a significant extent of association between GIRK1/2 and G $\beta\gamma$, and support the notion that G α is a non-obligatory partner in the GIRK-G protein signaling complex [50], but G α^{GDP} plays a crucial role in regulating basal activity and, consequently, the magnitude of agonist response.

Results

Extent of agonist activation is inversely related to I_{basal} in hippocampal neurons

First, we wanted to characterize the relation between GIRK's I_{basal} and I_{evoked} in hippocampal neurons, known to preferentially express GIRK1/2 [2]. I_{basal} and I_{evoked} were measured using standard experimental paradigms ([39,47]; Fig 1A). Baclofen was used to activate the endogenous GABA $_B$ receptor and to generate I_{evoked} [52]. Net GIRK's I_{basal} was revealed as shown in Fig 1A (see also S1 Fig), by adding 100–120 nM teripapin-Q (TPNQ), which selectively blocks >90% of GIRK currents in hippocampal neurons [39,43,53].

To characterize the relation between I_{basal} and I_{evoked} , we utilized the activation index R_a , defined as $I_{\text{total}}/I_{\text{basal}}$ (where I_{total} is the total GIRK current; see Fig 1 and S1 Fig [51]). GIRK currents of cultured hippocampal neurons showed considerable variability: I_{basal} , 0.2–26 pA/pF, I_{evoked} , 1–65 pA/pF ($n = 65$). Strikingly, there was a strong inverse correlation between R_a and I_{basal} (Fig 1B, closed triangles), which was similar to that observed in oocytes expressing GIRK1/2 (open circles). The strength of the correlation indicates that it may be driven by a distinct molecular mechanism of potential physiological importance. The similarity of this distinctive phenomenon in hippocampal neurons and GIRK1/2-expressing oocytes encouraged us to further investigate it in the *Xenopus* oocyte expression system. The oocyte is particularly suitable for accurate control of protein expression (by titrating the injected RNA) and for current measurements, which are essential for quantitative modeling of I_{basal} and I_{evoked} of GIRK1/2.

Modeling the steady-state gating of GIRK1/2 by G $\beta\gamma$

G $\beta\gamma$ is well-established as the main gating agent for GIRK's I_{evoked} [8,9]. This is also true for I_{basal} of heterologously expressed GIRK1/2, which is suppressed by up to 80–90% by the expression of G $\beta\gamma$ -binding proteins such as C-terminus of β -adrenergic kinase, phosducin or G α , both in *Xenopus* oocytes [30,31,50] and HEK293 cells [28]. In this work, we did not manipulate

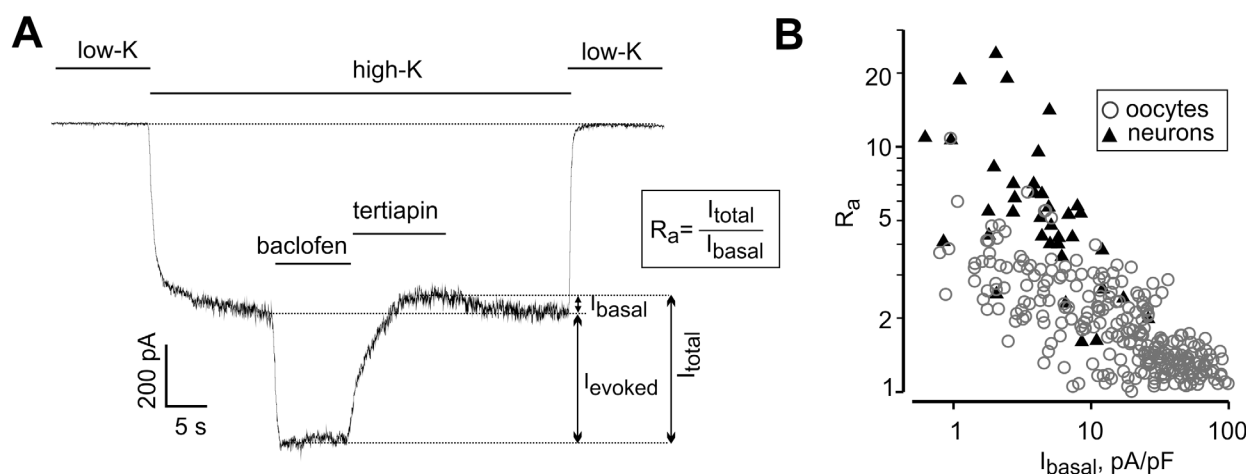


Fig 1. Basal and agonist-evoked GIRK currents in neurons and oocytes are inversely related. (A) A representative whole-recording of GIRK current in a neuron. Switching from low-K $^+$ extracellular solution to a high-K $^+$ solution led to the development of a large inward current probably carried by several ion channel types. Addition of baclofen elicited I_{evoked} . Arrows show the amplitudes of I_{basal} , I_{evoked} and I_{total} . Extent of activation, R_a , is defined as $I_{\text{total}}/I_{\text{basal}}$. (B) Inverse correlation between I_{basal} and R_a in oocytes and neurons. To allow direct comparison of I_{basal} in oocytes and neurons, currents in neurons were corrected for the 10 mV difference in holding potential, which was -70 mV in neurons and -80 mV in oocytes (see Methods). The correlation between R_a and I_{basal} was highly significant, $p = 0.000000028$ (neurons; $n = 60$; correlation coefficient = -0.633) and $p = 0.0000002$ (oocytes; $n = 272$; correlation coefficient = -0.728) by Spearman correlation test.

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cellular levels of phosphatidylinositol diphosphate (PIP₂), and used healthy cells which always showed robust GIRK currents, indicating levels of PIP₂ sufficient for channel activation [54]. Thus, under the conditions used in this work, Gβγ was the main gating factor determining the steady-state macroscopic GIRK current (I).

In a general form, I is described [1] by:

$$I = I_{\text{single}} \cdot P_o \cdot N, \quad (1)$$

where I_{single} is the single-channel current, N is the number of functional channels in the PM, and P_o is the channel's open probability. In a heterologous expression system, the channel's surface density (N/S, where S is the surface area of the cell) can be experimentally manipulated and measured. I_{single} of GIRK channels is an activation-independent parameter; P_o is the gating parameter that changes as a function of the concentration of Gβγ available for GIRK activation by agonist or added Gβγ [9,11].

We start the development of the model by considering how Gβγ, available for activation of GIRK, can be derived from heterotrimeric Gαβγ (Fig 2A). In the absence of GPCR-activated G protein cycle, a small fraction of G proteins dissociates into free Gα^{GDP} and Gβγ due to finite affinity of their interaction [55,56] (the left branch of the reaction in Fig 2A). This free Gβγ can contribute to I_{basal} [57,58]. Addition of agonist activates the GPCR and promotes GDP-GTP exchange at Gα and full or partial separation of Gα^{GTP} from Gβγ (the right branch of the reaction in Fig 2A; [59,60,61]). In our experiments in *Xenopus* oocytes and HEK293 cells, we coexpressed the muscarinic receptor 2 (m2R) which couples to G_{i/o}, and used acetylcholine (ACh)

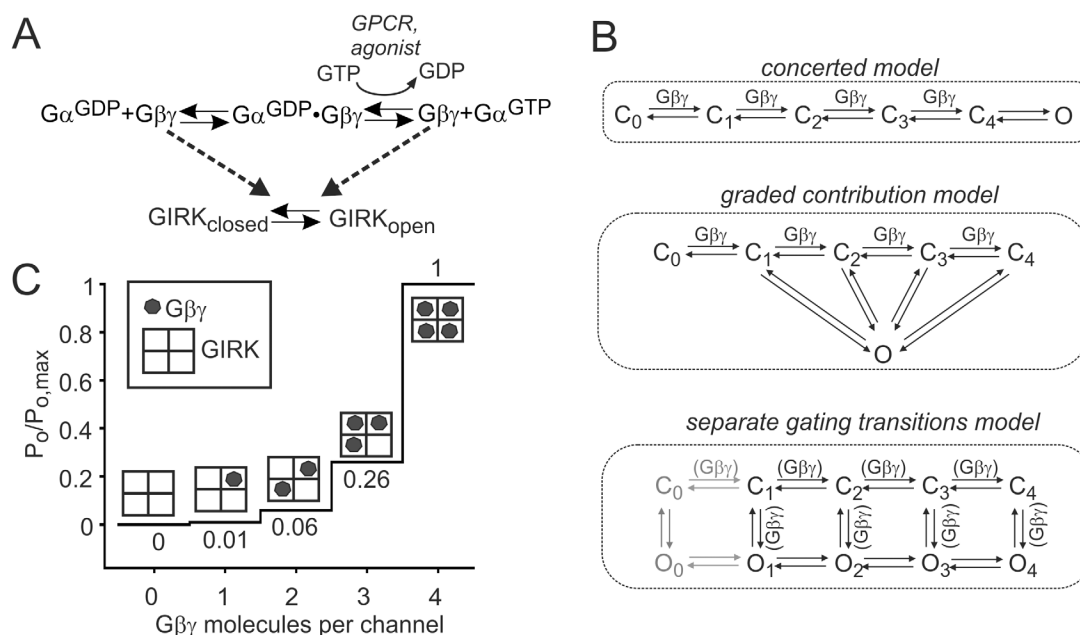


Fig 2. Gating of GIRK1/2 by Gβγ. (A) Sources of Gβγ for GIRK activation. Gα^{GDP}•Gβγ is the undissociated G protein heterotrimer. Note that, in isolated *Xenopus* oocytes or HEK cells, in the absence of added agonist the right, GPCR-dependent branch of the reaction of Fig 2A does not significantly contribute to I_{basal} , because there are no known Gα_{i/o}-coupled GPCRs or ambient agonists that can "basally" activate the GTPase cycle (discussed in [51]). (B) The schemes of "concerted", "graded contribution" and "separate gating transitions" models of channel activation. (C) Graded contribution of the four Gβγ-occupied GIRK states to P_o. Fractional P_o for each state was calculated by normalizing published P_o values [13] of each of the four modes (corresponding to 1–4 Gβγ occupied state) to P_{o,max} (corresponding to 4 Gβγ occupied channel). Almost identical values have been obtained from fractional activation ratios for engineered GIRK channels having 1 to 4 Gβγ binding sites [14].

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at supramaximal doses [62], 2–10 μM , in order to achieve a complete separation/rearrangement between G α^{GTP} and G $\beta\gamma$ [63,64].

There are two existing models of GIRK gating by G $\beta\gamma$. The allosteric kinetic model of Kura-chi and colleagues, developed for cardiac GIRK1/4 [65,66,67], adequately describes the kinetics and magnitude of agonist- and GTP γ S-evoked currents and the effect of RGS proteins. However, this model does not address I_{basal} , does not include an explicit G $\beta\gamma$ binding step (G $\beta\gamma$ acts catalytically) and assumes very high surface densities of G proteins, in the order of 56 mM, which are incompatible with our measurements or those of others (see below and Discussion). It would be difficult to adjust this model for our purposes and to adequately describe I_{basal} , or to implement the G $\beta\gamma$ recruitment phenomenon.

The second model, termed here “concerted model”, was previously developed by us to describe the G protein-dependent activation of GIRK by Na $^+$ (Fig 2B) [58]. The model included a description of I_{basal} and an explicit G $\beta\gamma$ -GIRK binding step, but not the G α^{GTP} -G $\beta\gamma$ dissociation step or I_{evoked} . Further, it assumed opening of the channel only when all four G $\beta\gamma$ binding sites are occupied (Fig 2B), which does not concur with the experimental findings that suggest a graded contribution of each bound G $\beta\gamma$ molecule [13,14,68].

Therefore, in the present work, we have developed a “graded contribution” model (Fig 2B and 2C), where each G $\beta\gamma$ -occupied state can contribute to channel opening and thus to P_o [13,14,68]. To date it is not known whether G $\beta\gamma$ binding to GIRK is truly cooperative (i.e. whether G $\beta\gamma$ occupancy at one binding site increases the affinity of G $\beta\gamma$ binding at another site). Therefore, for simplicity, in the graded contribution model we assume that G $\beta\gamma$ binding to GIRK is sequential and the affinity of each G $\beta\gamma$ -binding site is independent of the occupancy of other sites. However, overall the process of gating is cooperative, since occupancy of each additional G $\beta\gamma$ -binding site increases P_o in a more-than-additive manner (Fig 2C). The relative contributions of each G $\beta\gamma$ -occupied channel state to P_o are adopted from published data for the homologous GIRK1/4 channel [13,14]. Thus, one bound G $\beta\gamma$ causes channel opening with a P_o which is 1% of the maximal P_o , $P_{o,\text{max}}$; two G $\beta\gamma$ give 6%, three G $\beta\gamma$ 26%, and four G $\beta\gamma$ 100% of $P_{o,\text{max}}$ (Fig 2C). This approach is applicable only to steady-state calculations of macroscopic currents since it omits the kinetic details, but it allows to bypass the need to determine (or assume) a large number of unknown parameters: state-dependent changes in channel’s affinity to G $\beta\gamma$, rates of closed-open transitions from different G $\beta\gamma$ -bound states, and the contributions of several potential open states. Once the channel achieved a state with n G $\beta\gamma$ bound, its fractional P_o is known and does not depend on the pathway by which the channel opens. For simplicity, in calculating the steady-state P_o for each G $\beta\gamma$ -occupied state, all open states (usually 2 are reported for GIRKs; [69,70,71,72]) were pooled into a single one (see Fig 2B).

We have also considered a more general model with 4 separate closed states, in which each closed subunit can open independently of other subunits and the opening is promoted by G $\beta\gamma$ binding, giving rise to four open states (the “separate gating transitions model”, Fig 2B). The scheme shown also describes an alternative case in which subsequent closed states C_1 - C_4 arise from the G $\beta\gamma$ -free closed state C_0 , the transitions between closed states are driven by G $\beta\gamma$ binding, and there are 5 separate C-O transitions. In both cases, it can be shown that, utilizing the approach based on graded contributions of each G $\beta\gamma$ -occupied channel state to P_o , the derivation of P_o converges to the same lead equation (eq 6) as for the graded contribution model (see Supplemental Discussion, S2 Text). Therefore, in this study we implemented the graded contribution model to simplify calculations. Throughout this work we also used an extended version of the concerted model, with the inclusion of the GPCR-induced dissociation of G α^{GTP} from G $\beta\gamma$, to cross-check the conclusions of the graded contribution model.

Quantitative description and modeling of signaling cascades require the evaluation of amounts, stoichiometry, and affinities of interactions of participating proteins [73,74,75,76,77].

We took an approach that rests as much as possible on experimentally determined parameters. The data necessary for simulation by the model (eqs 5–13 in Methods) are the surface density of GIRKs and G proteins in *Xenopus* oocytes, macroscopic parameters of GIRK1/2 gating (whole-cell I_{basal} , I_{evoked} and the current induced by coexpression of G $\beta\gamma$, $I_{\beta\gamma}$, see S2 Fig) at different channel densities, and I_{single} and $P_{\text{o,max}}$. Other parameters were experimentally determined in other works.

Single-channel currents and $P_{\text{o,max}}$ of GIRK1/2

To estimate single-channel current (I_{single}) and P_{o} of G $\beta\gamma$ - and agonist-activated GIRK1/2, we expressed the channels at low density with m2R and recorded channel activity in cell-attached patches (Fig 3A and 3B). I_{single} was determined from amplitude distribution histograms (Fig 3A and 3B; right panels). The Gaussian fits to these histograms showed one main conductance level, suggesting that subconductance states, if any, did not significantly contribute to P_{o} . The average I_{single} was identical for ACh and G $\beta\gamma$ activation (Fig 3C), ~ 2.8 pA.

P_{o} was estimated from patches containing 1 to 3 channels (see Methods). When channels were activated by G $\beta\gamma$ expressed at a saturating dose with no agonist present, P_{o} was 0.105 ± 0.018 (Fig 3D). The G $\beta\gamma$ RNA dose used (5 ng G β RNA, 1 ng G γ RNA) consistently produced maximal macroscopic activation (see below, for example S8 Fig), and ACh generated negligible whole-cell I_{evoked} which was $\sim 10\%$ of I_{basal} ($R_a = 1.1 \pm 0.02$, $n = 14$). Thus, free endogenous G α^{GTP} produced upon activation of m2R did not substantially affect the GIRK1/2 current evoked by saturating G $\beta\gamma$. We therefore conclude that the P_{o} measured in oocytes expressing saturating G $\beta\gamma$ is the $P_{\text{o,max}}$ of GIRK1/2, within a possible $\sim 10\%$ error. In comparison, when GIRK1/2 was activated via the coexpressed m2R (no G α or G $\beta\gamma$ were coexpressed) with 2–5 μM ACh in the pipette, P_{o} was 0.037 ± 0.008 , less than half of $P_{\text{o,max}}$. (Fig 3B and 3D). (The actual P_{o} could be higher because of the desensitization observed with ACh but not with G $\beta\gamma$; see Methods).

Initial estimation of functional GIRK1/2:G $\beta\gamma$ stoichiometry from macroscopic currents

For further analysis and modeling of whole-cell I_{basal} and I_{evoked} , we varied the surface density of GIRK1/2. The design was to obtain low, intermediate and high densities of GIRK1/2 by injecting 25, 100–200 or 1000–2000 pg RNA of each subunit per oocyte. The cells expressed 1 or 2 ng of m2R RNA which did not affect I_{basal} (S2C Fig and ref. [78]) but could always produce the maximal I_{evoked} [78]. I_{evoked} was elicited by ACh at 10 μM , a saturating dose. Under these conditions, all G $\alpha_{i/o}$ should convert to G α^{GTP} , so that all available G $\beta\gamma$ can bind to the channel and activate it. The data are summarized in Table 1; main findings are also briefly highlighted in Fig 3E and 3F. We measured I_{basal} , I_{evoked} and I_{total} in each oocyte (set 1 in Table 1, S2A Fig). In separate groups of oocytes expressing saturating G $\beta\gamma$, where channel's P_{o} reached $P_{\text{o,max}}$, we measured $I_{\beta\gamma}$ (set 2 in Table 1, S2B Fig).

It is noteworthy that in oocytes, at all channel densities, $I_{\beta\gamma}$ was 1.6–2 fold greater than I_{total} , the total GIRK current ($I_{\text{basal}} + I_{\text{evoked}}$) without coexpressed G $\beta\gamma$ (Table 1). A similar $I_{\beta\gamma}/I_{\text{total}}$ ratio of 1.66 was observed in HEK293 cells (Table 2), where all data have been pooled together (because GIRK1/2 expression levels have not been monitored). Similarly, $I_{\beta\gamma}/I_{\text{total}}$ ratio of ~ 2.2 for GIRK1/2 expressed in HEK cells can be estimated from the data of Wydeven et al. [79] who activated GIRK with baclofen via GABA $_B$ receptors ($I_{\text{evoked}} \sim 40$ pA/pF, $I_{\beta\gamma} \sim 90$ pA/pF). The inverse value, $I_{\text{total}}/I_{\beta\gamma}$, ranged 0.5–0.62 at different channel densities (Fig 3F, left panel). Since GIRK1/2 was maximally activated by the doses of G $\beta\gamma$ used in these experiments, $I_{\text{total}}/I_{\beta\gamma}$ is equal to the fraction of maximal activation after GPCR activation, $P_{\text{o}}/P_{\text{o,max}}$. Note that the

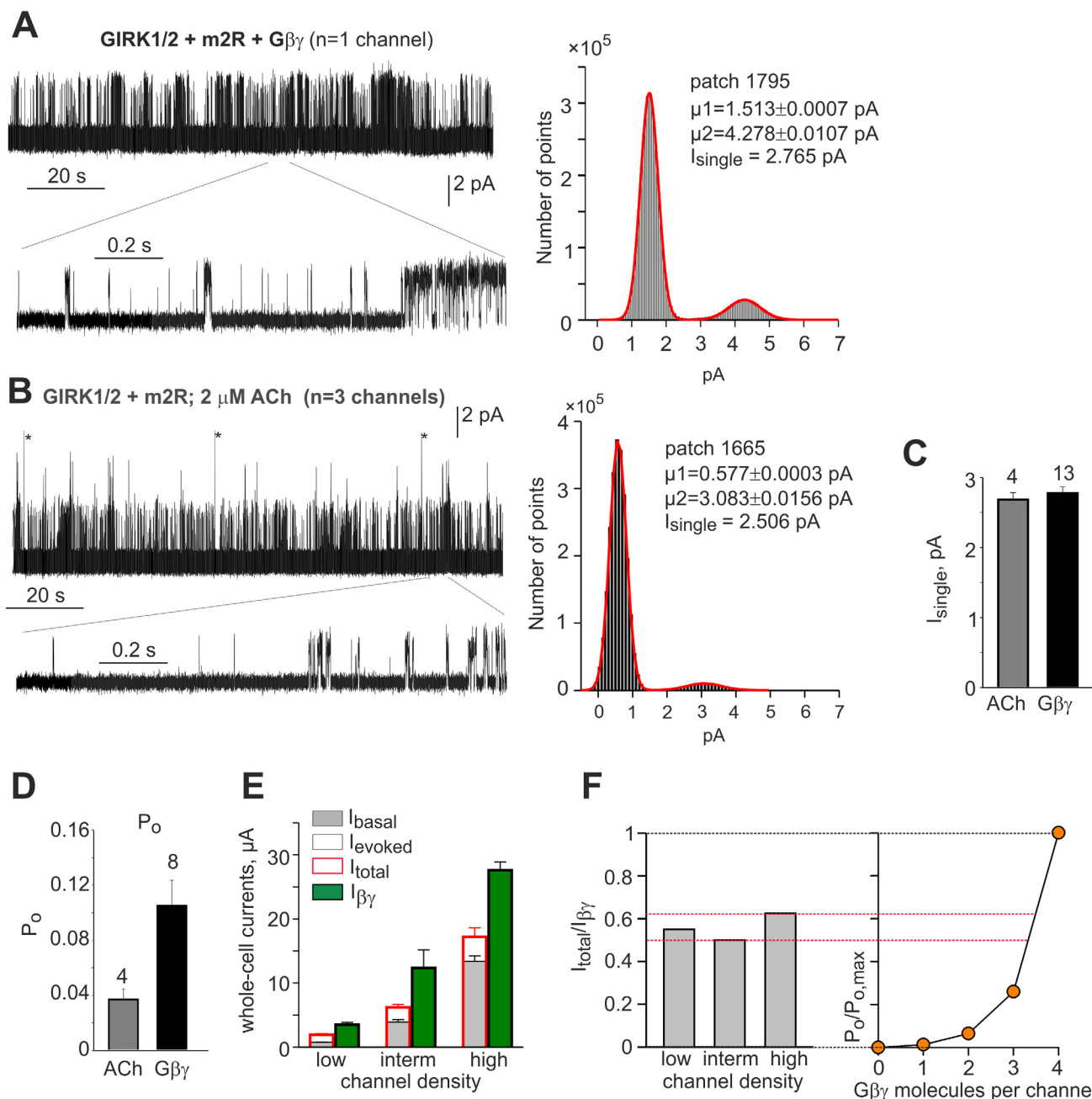


Fig 3. Single channel and whole-cell data reveal incomplete activation of GIRK1/2 by agonist compared to Gβγ. (A) Activity of GIRK1/2 in a cell-attached patch of an oocyte expressing the channel, m2R and Gβγ, without an agonist in the pipette. Right panel shows a 2 minutes segment of record, with zoom (below) on a shorter segment. The amplitude distribution histogram of the same 2 min-segment is shown on the right. Red line shows a two-component Gaussian fit. I_{single} was determined as the difference between the fitted midpoints (μ) of the GIRK current peak on the right (μ_2) and the left peak which corresponds to noise (μ_1). (B) Activity of GIRK1/2 channels in a cell-attached patch of an oocyte expressing the channel and m2R and activated by 2 μ M ACh present in the patch pipette. (Asterisks denote artifacts produced by capacity discharges of patch clamp headstage). The corresponding amplitude histogram of the 2 min-segment of the record is shown on the right. In A and B, GIRK1/2 was expressed at low densities (GIRK1, 10–50 pg RNA; GIRK2, 7–17 pg RNA) whereas RNAs of m2R (1–2 ng/oocyte) and Gβγ (5:1 ng/oocyte) were chosen to produce saturating concentrations of these proteins. Inward K⁺ currents are shown as upward deflections from zero level. In the traces shown, acquisition was at 20 KHz with 5 KHz analog filter. Very similar values of I_{single} were obtained with 2 KHz filtering (not shown). (C) Single channel currents (left plot) are identical with either ACh or Gβγ. (D) P_o is lower with ACh than with Gβγ ($p = 0.029$). Bars in C and D show mean \pm SEM, number of patches is shown above the bars. (E) Summary of whole-cell GIRK1/2 currents at three expression levels (densities). See Table 1 for details. (F) Left panel shows the $I_{\text{total}}/I_{\beta\gamma}$ ratios at three channel densities, calculated from data of Table 1. The right panel shows the fractional open probabilities of channels occupied by 0–4 Gβγ, same as in Fig 2C but in a simple graphic form. The red dotted lines are drawn to allow direct comparison of the experimental data from the left panel with the estimates of fractional P_o from the right panel.

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Table 1. Whole-cell currents of GIRK1/2, the calculated surface density and $I_{\beta\gamma}/I_{total}$ in *Xenopus* oocytes.

Group (channel density)	ng RNA GIRK1, GIRK2	Set 1: experiments with agonist			Set 2: experiments with no agonist		calculated density (channels/ μm^2)	$I_{\beta\gamma}/I_{total}$
		I_{basal} (μA)	I_{evoked} (μA)	I_{total} (μA)	No G $\beta\gamma$ I_{basal} (μA)	G $\beta\gamma$ expressed $I_{\beta\gamma}$ (μA)		
Low	0.025	0.73 \pm 0.065 (51)	1.19 \pm 0.09 (51)	1.92 \pm 0.14 (51)	1.06 \pm 0.13 (18)	3.49 \pm 0.37 (14)	2.74 \pm 0.29	1.82
Intermediate	0.1–02	3.9 \pm 0.36 (55)	2.3 \pm 0.2 (55)	6.2 \pm 0.45 (55)	3.77 \pm 0.55 (28)	12.34 \pm 2.82 (26)	9.7 \pm 2.2	2
High	1–2	13.36 \pm 0.87 (10)	3.84 \pm 0.81 (10)	17.2 \pm 1.42 (10)	15 \pm 0.84 (75)	27.6 \pm 1.3 (77)	21.7 \pm 1	1.6

Data are shown as mean \pm SEM (except $I_{\beta\gamma}/I_{total}$), number of cells is shown in parentheses. Data for each entry were collected from at least 2 independent experiments. The Table summarizes separate sets of experiments: those where I_{basal} , I_{evoked} and I_{total} were measured (in each oocyte); and those where G $\beta\gamma$ was coexpressed and $I_{\beta\gamma}$ was measured. In addition, in Set 2, I_{basal} was measured in each experiment in a separate group of oocytes not injected with G $\beta\gamma$ RNA. For the low density group in oocytes, there was ~30% difference ($p = 0.017$) for I_{basal} between the two sets of experiments, probably because of variability among oocyte batches. In intermediate and high density groups I_{basal} was not different ($p > 0.4$) for both sets of experiments.

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single-channel data (Fig 3D) show less than 40% activation with saturating ACh (although, as noted above, this is probably an underestimate because of desensitization). In all, in oocytes and HEK cells, when the channel is activated by an agonist, only 40–60% of maximal P_o is achieved.

From the data of Fig 3, one can approximately estimate the amount of G $\beta\gamma$ molecules that are bound to the channel after maximal activation by agonist. This is done by comparing between measured values of $I_{total}/I_{\beta\gamma}$ (Fig 3F, left panel) and the expected $P_o/P_{o,max}$ [13,14] from Fig 2C. To facilitate the comparison, we have redrawn the plot of Fig 2C in a simple graphic form (Fig 3F, right panel), and projected the values of $I_{total}/I_{\beta\gamma}$ onto the $P_o/P_{o,max}$ plot (red dashed lines). For 3 bound G $\beta\gamma$, the expected $P_o/P_{o,max}$ is 0.26, and for 4 G $\beta\gamma$ it is 1. Thus, with $I_{total}/I_{\beta\gamma}$ of 0.4–0.6, we estimate that, even without coexpression of G $\beta\gamma$, between 3 and 4 G $\beta\gamma$ are available for activation of a single GIRK channel at all channel densities.

Expression-dependent changes in surface levels of GIRK1/2

For saturating G $\beta\gamma$, Eq 1 for $I_{\beta\gamma}$ takes the form:

$$I_{\beta\gamma} = I_{single} \cdot P_{o,max} \cdot N. \quad (2)$$

From here, we calculated the total number of functional channels in the PM (N) and the corresponding channel density per μm^2 of the PM. As shown in Table 1, our "low", "intermediate" and "high" expression levels correspond to approximately 2.7, 9.7 and 21.7 channels/ μm^2 ,

Table 2. Whole-cell currents of GIRK1/2 and $I_{\beta\gamma}/I_{total}$ in HEK293 cells.

Set 1: experiments with agonist			Set 2: G $\beta\gamma$ expression	$I_{\beta\gamma}/I_{total}$
I_{basal} (pA/pF)	I_{evoked} (pA/pF)	I_{total} (pA/pF)	$I_{\beta\gamma}$ (pA/pF)	
19.1 \pm 4.4 (25)	30.6 \pm 6.7 (25)	49.7 \pm 10.5 (25)	82.6 \pm 25.6 (6)	1.66

Data are shown as mean \pm SEM (except $I_{\beta\gamma}/I_{total}$), number of cells is shown in parentheses. Data for each entry were collected from at least 2 independent experiments, except $I_{\beta\gamma}$ which was measured in one experiment. Raw data of Set 1 were reported in [51].

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respectively. In the following, the data of Table 1 served as the basis for testing the predictions of the model and for calculating G α and G $\beta\gamma$ available for channel activation.

Surface levels of GIRK1/2 are confirmed by quantitative immunochemistry

To obtain an independent estimate of the density of GIRK1/2 in the PM, we used quantitative immunochemistry of GIRK1 in cytosol-free, manually separated plasma membranes of *Xenopus* oocytes (Fig 4A and 4B) [80,81]. GIRK1 was coexpressed with GIRK2 at high density, and GIRK1 was probed with a C-terminally directed antibody. Western blots of manually separated PM and of the rest of the cells without the nucleus ("cytosol") showed the presence of two forms of GIRK1. A double band of about 55–58 KDa was always observed, and an additional

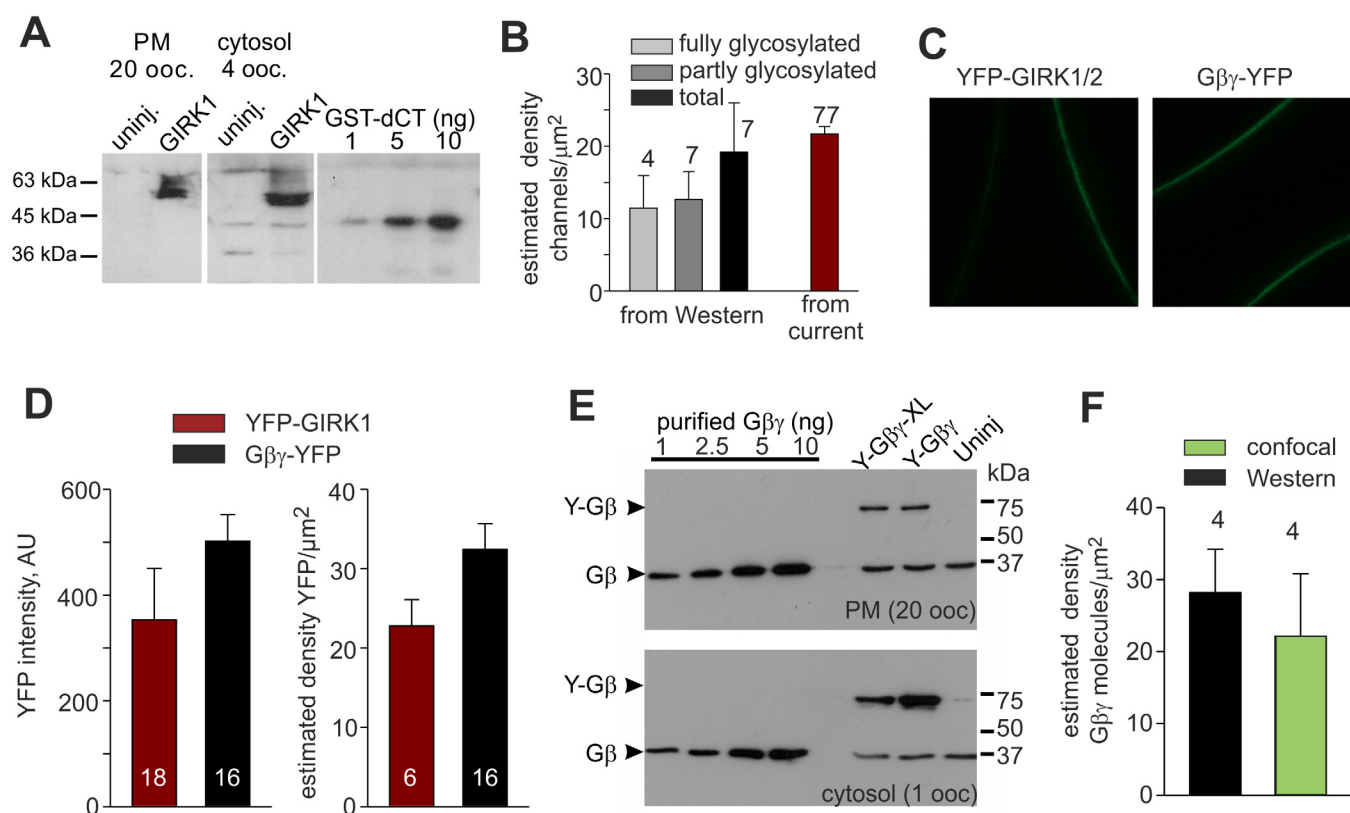


Fig 4. Measuring the surface density of GIRK1/2 and G $\beta\gamma$ in *Xenopus* oocytes. (A) Immunochemical estimation of the amount of GIRK1 in manually separated plasma membranes of *Xenopus* oocytes injected with 1 or 2 ng of GIRK RNA. Shown is a Western blot of 20 manually separated plasma membranes and 4 cytosols, and variable known amounts of the GST-fused distal C-terminus of GIRK1 (the antibody's epitope) used for calibration of the antibody-produced signal. There was a non-specific band at ~75 kDa in cytosols but not PM of uninjected oocytes ("uninj"). (B) Summary of quantitative analysis of GIRK1 in PM from Western blots of 7 separate experiments. The fully glycosylated band was observed in 4 out of 7 blots. Molar amounts of protein and PM densities from Western blots were calculated as detailed in Methods. The dark red bar is the GIRK1/2 surface density in the high-density group estimated from I_{pY} (see Table 1), shown for comparison. (C) Examples of confocal images of oocytes expressing YFP-GIRK1/2 (5 ng RNA) and G $\beta\gamma$ -YFP (5 ng RNA). (D) Estimating YFP molecules density in PM using YFP-GIRK1/2 as molecular ruler. A representative experiment is shown. The left plot shows the measured intensities of YFP-GIRK1/2 and YFP-G β coexpressed with wt G γ in a separate group of oocytes (5:1 ng RNA). The right plot shows the PM densities of YFP in the YFP-GIRK1/2 oocytes, calculated as follows: I_{pY} was $14.5 \pm 2.1 \mu\text{A}$ ($n = 6$), corresponding to 11.4 ± 1.6 channels/ μm^2 , or 22.8 ± 3.3 YFP molecules/ μm^2 . The density of YFP in the YFP-G $\beta\gamma$ expressing oocytes was calculated based on relative intensities from the left plot. (E) Estimating the amount of endogenous G β and expressed YFP-G β or YFP-G β -XL (5 ng RNA) coexpressed with wt-G γ , in manually separated plasma membranes. Protocol was similar to Fig 4A; wt purified recombinant G $\beta\gamma$ was used for calibration. In parallel to biochemical measurements, we also measured GIRK currents and YFP intensity in 5–15 oocytes expressing either YFP-GIRK1/2-G $\beta\gamma$ or YFP-G $\beta\gamma$, as explained in D. (F) Summary of YFP-G $\beta\gamma$ surface density measurements in 4 experiments by the two methods, quantitative Westerns and confocal imaging with YFP-GIRK1/2 as the molecular ruler.

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higher diffuse band was seen in four out of seven experiments (Fig 4A and 4B). These bands correspond to partly and fully glycosylated channels, respectively [82,83]. Three oocyte batches showed only partly glycosylated bands in the PM. Since oocytes injected with 2 ng RNA always had large GIRK1/2 currents, it is likely that both partly and fully glycosylated channels are functional at the PM, in agreement with [83]. Notably, the main fraction of the channel was found in the cytosolic fraction (most likely endoplasmic reticulum and Golgi), largely in a partly-glycosylated form (Fig 4A). This is not unexpected, because in *Xenopus* oocytes the PM constitutes only a very small fraction of the cell's total mass [81].

Next, molar amounts of GIRK in the PM fraction were calculated, taking into account the presence of two GIRK1 subunits in each channel. Calibration of antibody-produced signal was done with known amounts of the GST-fused distal C-terminus of GIRK1 which contains the epitope for the antibody. Note that this method yields channel levels in concentration units (e.g. mole/L). Both GIRK and Gβγ are associated with the PM (Gβγ is membrane-anchored by a lipid moiety [84]), and the interaction between GIRK's cytosolic domain and Gβγ takes place within the submembrane space. Therefore, to compare data with GIRK1/2 surface densities obtained by channel counting from currents (Table 1), and for further modeling, we have converted two-dimensional protein densities to protein concentrations within the interaction space as previously described (e.g. [58,85,86,87]; see Supplemental Discussion, S2 Text), according to

$$C = N/(W \cdot S \cdot A), \quad (3)$$

where C is the concentration of protein in the submembrane space, N is the number of protein molecules in the membrane, S is a membrane area, A is Avogadro number and W is the width of the interaction space. For calculations, we used $S_{\text{oocyte}} = 2 \times 10^7 \mu\text{m}^2$ (deduced from an oocyte's capacitance of 200 nF [88] and specific capacitance of plasma membrane of $1 \mu\text{F}/\text{cm}^2$), and W was assumed to be 10 nm. The latter roughly corresponds to the molecular size of the complex of Gβγ and the cytosolic part of GIRK [18]. The influence of this parameter on the conclusions of the model was tested later (see below, S6 Fig, panels D and E). Consequently, the standard conversion factor between channel density (number of channels/ μm^2) and channel concentration (nM) is $1 \text{ channel}/\mu\text{m}^2 = 166 \text{ nM}$.

Conversion of channel concentrations determined in Fig 4 into surface densities using Eq 3 gave ~12–14 channels/ μm^2 for both partly and fully glycosylated channels in the PM, and the average total amount of GIRK1/2 in PM (with partly + fully glycosylated GIRK1) was 19.1 ± 6.8 channels/ μm^2 (Fig 4B). This is in good agreement with the independent assessment of ~22 channels/ μm^2 obtained from measurements of $I_{\beta\gamma}$ for the high GIRK1/2 expression group (Table 1). To note, the latter was calculated using Eq 2 with $P_{\text{o,max}}$ measured at low channel densities. If $P_{\text{o,max}}$ were different at high GIRK1/2 expression levels, the densities calculated from $I_{\beta\gamma}$ and immunochemistry would not match. The close correspondence between the two independent approaches indicates that $P_{\text{o,max}}$ is preserved at the high expression level.

We conclude that the total surface density of GIRK1/2 channels in the PM can be satisfactorily estimated from whole-cell currents (Eq 2, Table 1). Such measurements are calibration-independent and accurate [1], and therefore GIRK1/2 can be used as a “molecular ruler”. In this procedure, the fluorescently labeled GIRK1/2, with its surface density calculated from $I_{\beta\gamma}$, will serve as a reference for estimating PM densities of other fluorescently labeled proteins. To use GIRK1/2 as a molecular ruler, we expressed YFP-GIRK1 (GIRK1 with Yellow Fluorescent Protein (YFP) fused to the N-terminus). Single channel analysis of Gβγ-activated YFP-GIRK1 coexpressed with GIRK2, YFP-GIRK1/2, showed the same $P_{\text{o,max}}$ and I_{single} as in wild-type

GIRK1/2 ([S3 Fig](#)), allowing the use of this construct for calibration purposes. To obtain high current levels of YFP-GIRK1/2 we usually had to inject 5 ng/oocyte of channel's RNA.

Surface levels of G $\beta\gamma$

To estimate the expression levels of G $\beta\gamma$ using YFP-GIRK1/2 as molecular ruler, we expressed YFP-GIRK1/2 and, in separate oocytes of the same batch, G $\beta\gamma$ in which either G β or G γ was labeled with YFP. Expression of YFP was monitored from fluorescence intensity in the PM ([Fig 4C](#)). In addition, $I_{\beta\gamma}$ was measured and the surface density of YFP-GIRK1/2 was calculated. The amount of YFP molecules per μm^2 was calculated assuming a 2:2 GIRK1:GIRK2 stoichiometry in a heterotetramer [[89](#)] (See also Supplemental Discussion, [S2 Text](#)). The surface density of G $\beta\gamma$ -YFP was then calculated based on intensity ratios of YFP-GIRK1 and G $\beta\gamma$ -YFP. A typical experiment is shown and explained in [Fig 4D](#).

To validate the estimates of G $\beta\gamma$ expression, in four experiments as in [Fig 4D](#) we also measured the levels of G β -YFP (coexpressed with unlabeled G γ) by quantitative immunochemistry in manually separated plasma membranes. We used purified G β to calibrate the signal produced by the G β antibody ([Fig 4E](#)). We also constructed and expressed an YFP-fused construct corresponding to *Xenopus laevis* G β 1, YFP-G β -XL (see [Methods](#)). Western blots showed a prominent ~36 kDa band of the endogenous G β , and ~70 kDa bands corresponding to the expressed YFP-G β or YFP-G β -XL ([Fig 4E](#)). The surface density of the expressed YFP-G $\beta\gamma$ assessed by the quantitative immunochemical method was 28 ± 6 molecules/ μm^2 , close to the estimate of 22.1 ± 8.7 molecules/ μm^2 obtained in the same experiments from measurements of fluorescence using YFP-GIRK1 as "molecular ruler" ([Fig 4E](#); 53 oocytes, $n = 4$ experiments; $P = 0.295$). These results demonstrate the feasibility of the molecular ruler methodology and provide a good estimate of the expressed G $\beta\gamma$ -YFP. In several sets of experiments (see also below) we consistently found that, with 5 ng RNA of G $\beta\gamma$, its surface density ranged between 20 and 30 molecules/ μm^2 .

We next utilized YFP-G β -XL as a caliper for the endogenous oocyte's G β . Results of 4 experiments showed that, in Western blots, G β antibody used here gave similar signal with G β -XL as with bovine G β 1 ([S3 Fig](#), panels C, D). We then estimated the surface density of the endogenous G β (the 37 kDa band in [Fig 4E](#)) to be 24 ± 4.6 molecules/ μm^2 ($n = 4$). We have also estimated the concentrations of total and cytosolic endogenous G $\beta\gamma$ from the 4 experiments of [Fig 4E](#), assuming an oocyte's water volume of 0.5 μl [[88](#)]. The total G $\beta\gamma$ concentration was 173 ± 44 nM, the concentration of G $\beta\gamma$ in the cytosolic fraction was 171 ± 44 nM.

Estimation of functional stoichiometry of GIRK1/2, G $\beta\gamma$ and G α

We define the molar amounts of proteins physically available for the function of the cascade as functional stoichiometry. It can change depending on availability of a protein, in contrast to limiting (maximal) stoichiometry which reflects the maximal molar ratios of interacting proteins. For example, if one GIRK channel can interact with at most 4 G $\beta\gamma$ and 4 G α molecules, then the limiting GIRK:G $\beta\gamma$:G α stoichiometry is 1:4:4.

Having determined the $P_{o,\text{max}}$ and surface densities of GIRK1/2 and endogenous G $\beta\gamma$, we were now able to simulate macroscopic GIRK currents in oocytes and to assess the functional stoichiometry of GIRK1/2-G α -G $\beta\gamma$. We initially assumed that all of the I_{basal} in oocytes was G $\beta\gamma$ -dependent. The affinities of GIRK-G $\beta\gamma$ and G α -G $\beta\gamma$ interactions were adopted from published work: $K_D = 1.86$ nM for G α^{GDP} -G $\beta\gamma$ binding [[56](#)], and $K_D = 50$ nM for the GIRK-G $\beta\gamma$ interaction, as estimated by biochemical methods [[90](#)]. Simulations were done using eqs [5–16](#) as explained in the Methods section. Simulated data were compared to experimental measurements of GIRK1/2 activity for the three GIRK1/2 surface density groups ([Table 1](#) and [Fig 3E](#)).

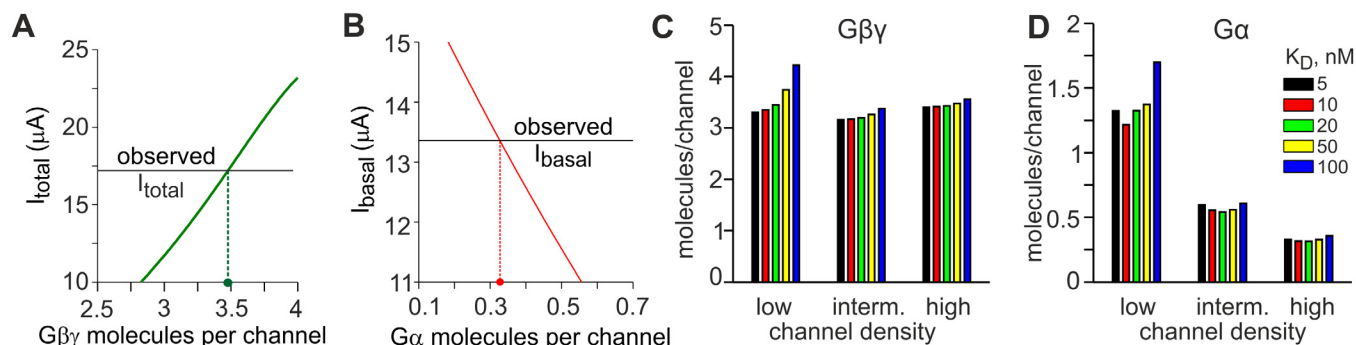


Fig 5. Estimation of Gβγ and Gα available for GIRK1/2 activation from macroscopic currents. (A, B) The method of estimation of number of Gβγ and Gα molecules per channel is exemplified for the high channel density group of Table 1. The same procedure has been applied to the low and intermediate density groups (Table 3). (A) Estimation of Gβγ available for channel activation utilizing I_{total} . Simulated I_{total} (green line) was calculated for a range of Gβγ surface densities using eqs 5–12, and compared with the experimentally observed I_{total} . (B) Estimation of Gα available for interaction with the channel. Simulated I_{basal} (red line) was calculated using eqs 5–16 for a range of Gα surface densities, using the Gβγ density calculated in (A), and compared with the experimentally observed I_{basal} . (C, D) The estimates of Gβγ:GIRK (C) and Gα:GIRK (D) ratios are stable in a wide range of GIRK-Gβγ interaction affinities, from $K_D = 5$ nM to 100 nM. Simulations were done with the graded contribution model separately for the low-, intermediate- and high density groups from Table 1 (2.74, 9.7 and 21.7 channels/ μm^2 , respectively).

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Note that GIRK densities were calculated from $I_{\beta\gamma}$ but simulations were done for the separately measured I_{basal} and I_{evoked} , avoiding circular reasoning.

We first tried to simulate the experimental data by assuming that only endogenous Gαβγ is available for the activation of GIRK1/2 (S4A Fig). However, no satisfactory description of data can be obtained under this assumption. Simulations that assumed recruitment of 3–4 Gβγ with GIRK, without Gα, gave a better approximation to the data (S4 Fig, panels B, C).

Next, we turned to a more accurate assessment of functional GIRK1/2:Gβγ:Gα stoichiometry. Our model allows to calculate the amounts of Gα and Gβγ available for GIRK1/2 without any prior knowledge or assumption about the G protein concentrations in the cell, directly from experimental data. This idea is illustrated graphically in Fig 5 for the high GIRK1/2 surface density group of Table 1. The procedure consists of two steps. First, because all Gβγ available for GIRK is free to activate the channel after addition of agonist, the total GIRK-available Gβγ can be calculated from I_{total} , as shown in Fig 5A. Here, the solid green line presents the simulated I_{total} for a range of GIRK-available Gβγ densities, normalized to channel density (Gβγ:GIRK ratio). The intercept of simulated I_{total} and the experimentally observed I_{total} produces the estimate of the Gβγ:GIRK ratio. The numeric calculation of Gβγ density from experimental I_{total} can also be done by substituting the channel density and I_{total} into the eqs 5–13 and 16 (see Supplemental Methods (S1 Text) for Matlab routines).

Next, the estimate of Gβγ is used to calculate the available Gα from I_{basal} . I_{basal} is determined by "free" Gβγ that is not bound to Gα^{GDP} in the absence of agonist. The calculation is done by substituting channel density, I_{basal} and the estimated value of available Gβγ into the eqs 5–16 (see Supplemental Methods, S1 Text); a graphical illustration is shown in Fig 5B. The summary of calculations, made with our standard assumption of $K_D = 50$ nM for the GIRK-Gβγ interaction, is presented in Table 3 and Fig 5C and 5D. These calculations show that there are ~3–4 Gβγ, but less than 2 Gα, available for each channel. Moreover, while Gβγ:GIRK ratio remains relatively constant throughout the range of analyzed channel densities, there is a sharp decrease in Gα:GIRK ratio with the increase in channel density (Table 3; see also below and S6 Fig).

The estimate of K_D for the GIRK-Gβγ interaction varies depending on the method used, from $K_D = 4$ –10 nM determined in excised patches [91,92,93] to ~50 nM in direct biochemical measurements [90]. To check for model's stability regarding this parameter, we calculated the

Table 3. Calculation of Gβγ and Gα available for channel activation in *Xenopus* oocytes (without coexpressing Gβγ). K_D for channel-Gβγ interaction was taken as 50 nM. For calculations with other K_D values, see Fig 5 and S5 Fig.

Channel density group	channels/μm ² (from Table 1)	Graded contribution model				Concerted model			
		total available Gα and Gβγ, molecules/μm ²		Gβγ:GIRK and Gα:GIRK ratios		total available Gα and Gβγ, molecules/μm ²		Gβγ:GIRK and Gα:GIRK ratios	
		Gβγ	Gα	Gβγ: GIRK	Gα: GIRK	Gβγ	Gα	Gβγ: GIRK	Gα: GIRK
Low	2.74	10.2	3.75	3.74	1.37	11.3	3.3	4.14	1.22
Intermediate	9.7	31.6	5.4	3.26	0.56	34.2	4.3	3.53	0.44
High	21.7	75.5	7.2	3.48	0.33	79.6	5.6	3.67	0.26

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available Gβγ and Gα for a range of K_D from 5 to 100 nM. As shown in Fig 5C and 5D, the estimates of Gβγ:GIRK and Gα:GIRK ratios, and the trend in their changes as a function of channel density, remain highly stable within the examined range of K_D. Similar conclusions were attained using the concerted model (Table 3 and S5 Fig). The latter does not involve any assumptions for fractional Gβγ contributions to total P_o. Similarity of conclusion of the two models alleviates concerns regarding the use of values for fractional Gβγ contributions, adopted from GIRK1/4 studies, to simulate GIRK1/2.

Table 3 also shows the total Gβγ and Gα available for GIRK in PM, in molecules/μm², calculated for each of the three channel densities. It is easy to see that, at intermediate and high channel densities, the endogenous Gβγ, 24 molecules/μm² (that was present in the PM before the expression of GIRK) cannot account for the observed GIRK1/2 activation. In contrast, estimates of total Gα available for GIRK1/2 remain within the limits of endogenous Gα. As mentioned before, the calculations have been made without any assumption regarding the presence or amount of endogenous Gαβγ, and made no specific *a priori* assumptions regarding recruitment of Gβγ or Gα. Hence, modeling independently predicts the necessity for GIRK1/2-related increase in PM density of Gβγ, corroborating the experimentally observed recruitment of Gβγ, but not Gα, by GIRK1/2 [25].

Next, we addressed the possible contribution of intrinsic, Gβγ-independent activity to I_{basal}. About 10–20% of I_{basal} of GIRK1/2 in *Xenopus* oocytes [30,31,50] and HEK293 cells [28] persists after expression of Gβγ scavengers or Gα. Whereas the residual I_{basal} may reflect incomplete Gβγ chelation, a genuine Gβγ-independent fraction of I_{basal} cannot be discarded. In the extreme case it may contribute up to 20% of GIRK1/2 I_{basal}. This may account for up to 10% of P_{o,max} (because I_{basal} can reach at most half of I_{βγ}, which is the indicator of P_{o,max}; Tables 1 and 2).

We have therefore extended the model to include the contribution of a hypothetical intrinsic Gβγ-independent channel activity. We assume that the intrinsic basal P_o of a channel (P_{o,intrinsic}) is an inherent, density-independent property of a single channel, best described as a fraction of P_{o,max}. We thus repeated our calculations of GIRK1/2-available Gα and Gβγ assuming a P_{o,intrinsic} in the range between 1% and 10% of P_{o,max} (S6 Fig, panels A, B). For these calculations, Eq 6 (Methods) was modified in the following way:

$$I = i_{\text{single}} \cdot N \cdot P_{o,\text{max}} \cdot (\Phi \cdot \sum_{i=1}^4 f_{p,x} \cdot \Phi_x + (1 - \Phi)) \quad , \quad (4)$$

where Φ is the fraction of P_{o,max} which is Gβγ-dependent (see Eqs 6 and 7 in the Methods for definitions of other parameters). In the whole range of P_{o,intrinsic} tested, the estimation of 3–4 Gβγ per channel remained highly stable (S6 Fig). The estimate of less than 2 Gα per channel

also persisted except at the highest $P_{o,intrinsic}$ and low GIRK1/2 density, where $G\alpha:GIRK$ ratio slightly exceeded 2 (S6B Fig, low surface density, black bar). Interestingly, for a significant Gβγ-independent intrinsic activity (10% of $P_{o,max}$), up to ~60% of macroscopic I_{basal} could be Gβγ-independent, especially at low channel densities which are common in native cells (S6C Fig). This finding may be relevant to some cells. For instance, coexpression of the Gβγ scavenger phosducin did not significantly reduce I_{basal} in atrial cardiomyocytes [94], where the predominant channel is GIRK1/4.

Finally, we considered the possible impact of variation in the presumed width (W) of the submembrane space within which the GIRK-Gβγ interactions occur. S6D and S6E Fig shows that the main conclusions regarding the functional stoichiometry of GIRK, $G\alpha$ and Gβγ remained largely unchanged over a wide range of W , 1–20 nm.

Activation of GIRK1/2 by coexpression of Gβγ: experiment and simulation

We next tested the ability of the model to predict a new result: the dose dependency of activation by Gβγ, using the estimates of available $G\alpha$ and Gβγ calculated from basal and agonist-evoked currents. We injected increasing amounts of wt-Gβγ mRNA into oocytes expressing GIRK1/2 at a constant density, and monitored both GIRK currents and Gβγ expression.

Relative levels of Gβγ in the PM were directly measured in giant membrane patches of the oocytes [30,95] (Fig 6A) using the anti-Gβ antibody. Absolute surface densities of the expressed Gβγ (X axis in Fig 6C) were calculated assuming that 5 ng mRNA of Gβγ gives 30 ± 4 molecules/ μm^2 ($n = 47$ oocytes). This density was calculated based on 3 experiments performed during the same period as the experiments of Fig 6 and S8 Fig, with wt-Gβ and YFP-Gγ, and using YFP-GIRK1/2 as the molecular ruler.

As shown in Fig 6B, expression levels of Gβγ in the PM (grey bars) reached maximum at 5 ng RNA/oocyte. $I_{\beta\gamma}$ (red circles) reached maximum already at 1 ng Gβγ RNA. Thus, maximal activation of GIRK1/2 has been attained already at submaximal expression levels of Gβγ (see also S8 Fig). Channel density of 13.75 channels/ μm^2 was calculated based on $I_{\beta\gamma}$ measured after expression of 5 ng RNA of exogenous Gβγ. Gβγ and $G\alpha$ available to GIRK without the coexpression of exogenous Gβγ were calculated from I_{basal} and I_{total} (as in Fig 5), yielding ~43 molecules of Gβγ and 10 molecules $G\alpha$ per μm^2 . We remind that the high density of available “endogenous” Gβγ in the presence of GIRK1/2 is due to Gβγ recruitment, explaining the high I_{basal} and the relatively low index of activation of GIRK by Gβγ in a given oocyte, $R_{\beta\gamma}$. ($R_{\beta\gamma}$ was defined as $I_{\beta\gamma}/[average\ I_{basal}]$, where average I_{basal} was determined in a group of oocytes of the same experiment which expressed the channel without Gβγ. The definitions are as in [51]. See S2 Fig for definition of $R_{\beta\gamma}$).

Using the calculated GIRK1/2 density and the amounts of available $G\alpha$ and Gβγ before coexpression of Gβγ, we next calculated the predicted $I_{\beta\gamma}$ and $R_{\beta\gamma}$ for a range of doses (surface densities) of exogenously coexpressed Gβγ (Fig 6C). The predicted dose-dependencies of $I_{\beta\gamma}$ and $R_{\beta\gamma}$ (blue lines) are in agreement with experimental data (red circles). Assuming that 5 ng/oocyte of Gβ RNA gives either less ($20\ G\beta\gamma/\mu m^2$) or more ($44\ G\beta\gamma/\mu m^2$) molecules of coexpressed Gβγ instead of $30\ G\beta\gamma/\mu m^2$ produced similar predictions, still in good agreement with experiment (S7 Fig). Thus, the results of the simulations are relatively insensitive to a 50% variation in our estimate of coexpressed Gβγ. Further, very similar results were obtained in a separate experiment using a different experimental design, where we expressed increasing doses of Gβγ-YFP and calibrated Gβγ-YFP density using YFP-GIRK1/2 as molecular ruler (S8 Fig).

We note that, because channel’s density is estimated from $I_{\beta\gamma}$ obtained with a saturating dose of Gβγ, the good agreement between measured and predicted $I_{\beta\gamma}$ at this RNA dose might

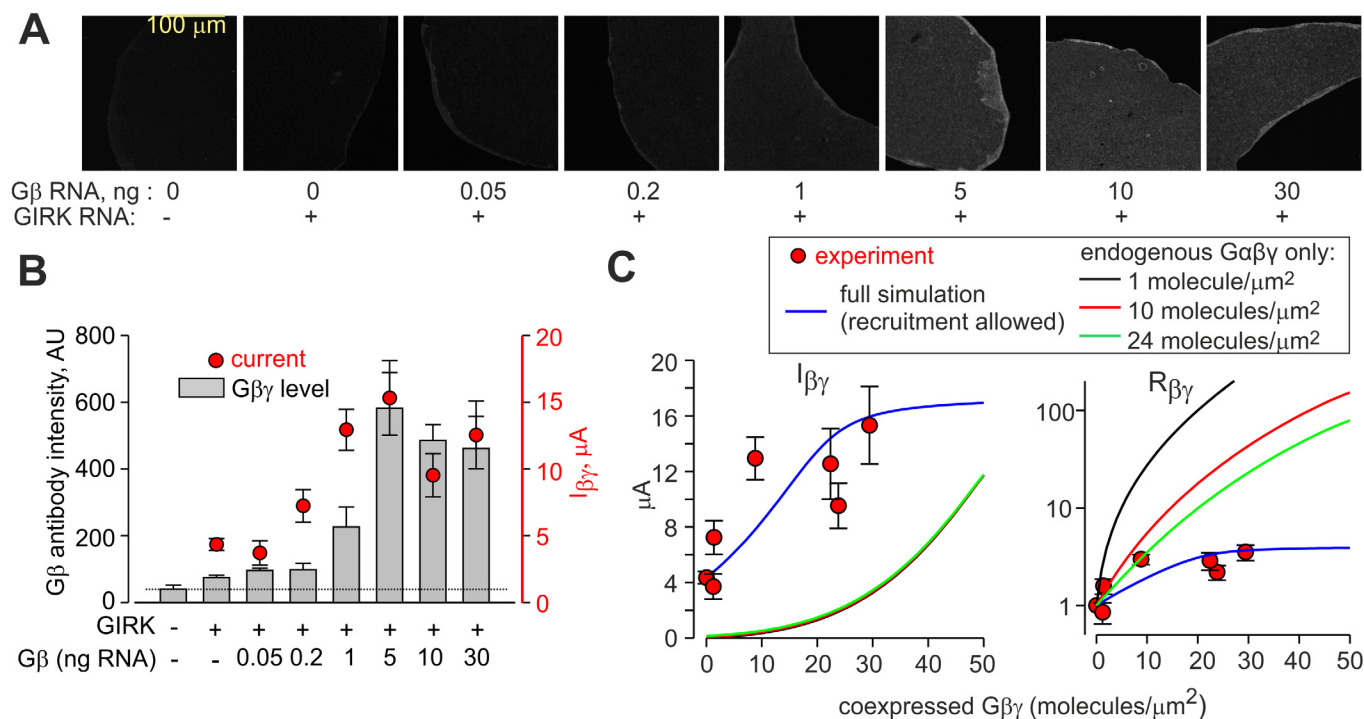


Fig 6. Dose-dependent activation of GIRK1/2 by coexpressed G $\beta\gamma$: experiment and simulation. GIRK1/2 was expressed at 0.2 ng RNA. All data are mean \pm SEM from one experiment. **(A)** Confocal images of G $\beta\gamma$ in giant excised plasma membranes stained with the anti-G β antibody. The intensity of all images was increased equally for a better viewing in this figure, but not in the process of image analysis. **(B)** Dose-dependence of G $\beta\gamma$ levels and $I_{\beta\gamma}$ in oocytes injected with incrementing amounts of wt G $\beta\gamma$ RNA (0.05–30 ng per oocyte). G $\beta\gamma$ expression in the PM (grey bars) was measured from images shown in A, in 4–8 oocyte membranes, and $I_{\beta\gamma}$ currents (red circles; right Y-axis) were measured in 12–16 oocytes. The dashed line shows the basal level of fluorescence, arising from the endogenous G $\beta\gamma$. Note that, unlike in Western blots, in immunocytochemistry the antibody poorly recognized the endogenous G $\beta\gamma$ compared to the expressed bovine G $\beta\gamma$. **(C)** Comparison of measured $I_{\beta\gamma}$ and $R_{\beta\gamma}$ (red circles) and simulated currents (curves). The relative G $\beta\gamma$ levels (from grey bars in B) have been converted into surface densities assuming that 5 ng G $\beta\gamma$ gives 30 molecules G $\beta\gamma$ / μ m². The blue line presents the simulation using graded contribution model and amounts of G α and G $\beta\gamma$ (prior to coexpression of G $\beta\gamma$) calculated using the methods described above: channel density was calculated from $I_{\beta\gamma}$ (13.75 channels/ μ m² with 5 ng G $\beta\gamma$ RNA in this experiment), and G $\beta\gamma$ and G α were estimated from I_{total} and I_{basal} , giving 3.16 and 0.73 G $\beta\gamma$:GIRK and G α :GIRK ratios, respectively. For simulation with endogenous G proteins only and no G $\beta\gamma$ recruitment allowed (red, black and green lines), the channel density was the same and 1, 10 or 24 endogenous G $\alpha\beta\gamma$ were assumed to be available for GIRK1/2.

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be expected. However, the densities of G α and G $\beta\gamma$ available to GIRK before coexpression of exogenous G $\beta\gamma$ (0 point on X-axis in Fig 6C) are calculated from I_{basal} and I_{evoked} . Therefore, in both experiments (Fig 6 and S8 Fig), the satisfactory predictions of $I_{\beta\gamma}$ and $R_{\beta\gamma}$ at intermediate G $\beta\gamma$ doses, or the shape of the dose-response curves of $I_{\beta\gamma}$ and $R_{\beta\gamma}$ vs. G $\beta\gamma$ density, do not result from circular reasoning and are not trivial. This is illustrated by showing simulations that assume equal amounts of endogenous G α and G $\beta\gamma$ (1, 10 or 24 molecules/ μ m²) available for GIRK1/2, and no G $\beta\gamma$ recruitment. The use of these “classical” assumptions failed to reproduce the experimental data (black, red and green lines in Fig 6C and S7 Fig). In particular, saturation of $R_{\beta\gamma}$ was predicted to happen at much higher doses of coexpressed G $\beta\gamma$ than in the experiment, obviously because the presumed initial basal level of G $\beta\gamma$ available to the channels was too low, thus requiring expression of more additional G $\beta\gamma$.

Application of the model to the HEK293 expression system and hippocampal neurons

We next evaluated the model’s applicability to another expression system (HEK293 cells), and also to hippocampal neurons that natively express GIRK1/2 channels. We re-grouped raw data

Table 4. GIRK currents in mouse hippocampal neurons and in GIRK1/2-expressing *Xenopus* oocytes and HEK293 cells. Data are presented as mean \pm SEM. Current amplitudes in HEK293 cells and neurons were adjusted to 24 mM K $^{+}$ (as in oocytes) as described in Methods.

I_{basal} range, pA/pF	corresponding I_{basal} in oocytes	cell type	I_{basal} , pA/pF	I_{evoked} , pA/pF	I_{total} , pA/pF	R_a	n
0.5–3	0.1–0.6 μ A	neurons	1.8 \pm 0.1	13.5 \pm 2.3	15.3 \pm 2.3	9.4 \pm 1.3	25
		oocytes	1.82 \pm 0.1	4.2 \pm 0.4	6.0 \pm 0.4	3.5 \pm 0.3	29
		HEK cells	1.51 \pm 0.2	10.5 \pm 3	12.03 \pm 3	8.3 \pm 2	8
3–13	0.6–2.6 μ A	neurons	5.8 \pm 0.4	19.9 \pm 2.3	25.7 \pm 2.3	4.8 \pm 0.5	29
		oocytes	7.2 \pm 0.4	10 \pm 0.8	17 \pm 0.9	2.5 \pm 0.1	74
		HEK cells	6.4 \pm 1.1	16 \pm 7	22.8 \pm 6.7	4.3 \pm 1.7	5
13–50	2.6–10 μ A	neurons	17.3 \pm 2.2	26.1 \pm 6.5	43.4 \pm 6.2	2.7 \pm 0.5	6
		oocytes	28 \pm 0.9	15.6 \pm 1	43.6 \pm 1.3	1.6 \pm 0.04	128
		HEK cells	25.7 \pm 3.1	34 \pm 7	60 \pm 9	2.4 \pm 0.2	9
>50	>10 μ A	neurons	-	-	-	-	-
		oocytes	65.9 \pm 2.1	84.5 \pm 2.7	84.5 \pm 2.7	1.3 \pm 0.03	41
		HEK cells	67.6 \pm 4.6	96 \pm 28	164 \pm 26	2.5 \pm 0.5	3

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previously obtained in HEK cells expressing m2R and GIRK1/2 [51] (Table 2), the data from cultured hippocampal neurons (Fig 1), and the data obtained in oocytes, in a uniform manner. To enable direct comparison between the different systems, we arbitrarily segregated all the recordings into 4 groups, based on basal GIRK currents: <3 pA/pF, 3–13 pA/pF, 13–50 pA/pF and > 50 pA/pF (Table 4). For modeling, we needed to estimate channel surface densities, which have not been directly measured in HEK293 cells and neurons. To this end, we used I_{total} to indirectly assess the channel densities. The ratio $I_{\beta\gamma}/I_{\text{total}}$ is fairly consistent in oocytes and HEK cells, ranging between 1.6 and 2.2 (Table 1 and ref. [96]). Thus, for each I_{basal} range, we calculated $I_{\beta\gamma}$ from I_{total} assuming $I_{\beta\gamma}/I_{\text{total}} = 2$ (Fig 7). Then we calculated densities using Eq 2 and $P_{\text{o,max}}$ of 0.105, as measured in oocytes.

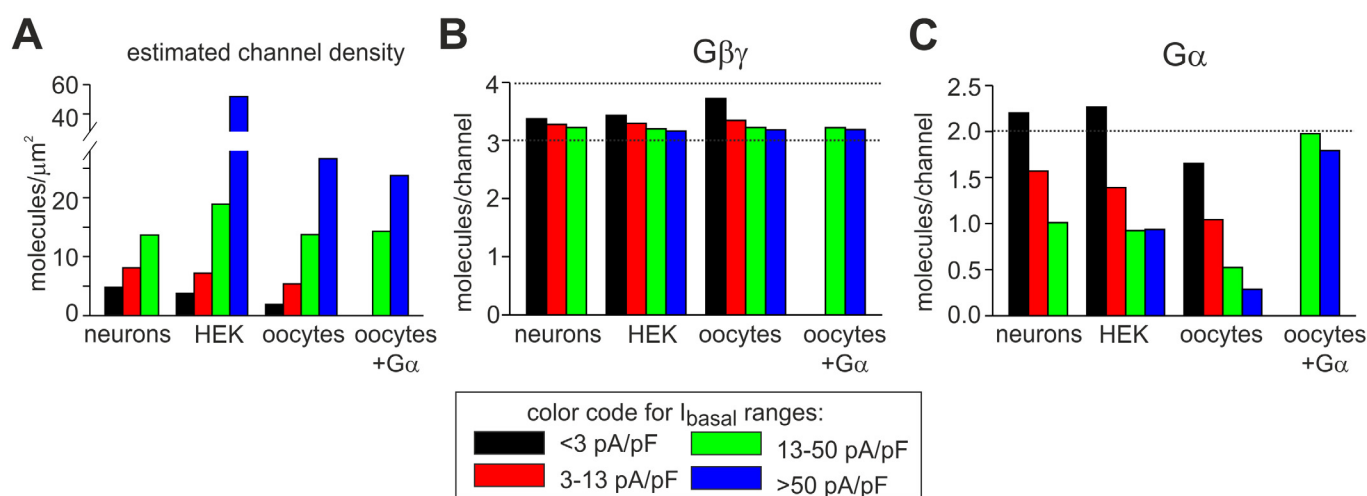


Fig 7. Estimated densities and calculated functional stoichiometries of the GIRK channel, G $\beta\gamma$ and G $\alpha_{i/o}$ in oocytes, HEK293 cells and neurons. Comparison of cultured mouse hippocampal neurons, and in oocytes and HEK293 cells expressing GIRK1/2. (A) Cells were subdivided into four groups according to the indicated I_{basal} ranges, and channel densities were estimated assuming $I_{\beta\gamma} = 2I_{\text{total}}$ and $P_{\text{o,max}} = 0.105$. Densities in G α expression experiments in oocytes were estimated from I_{total} in control groups of oocytes expressing GIRK1/2 and m2R only. (B, C) Estimates of G $\beta\gamma$ and G α available for GIRK activation in the 4 channel density groups. In oocytes and HEK293 cells I_{evoked} was elicited by ACh via m2R, in neurons—by baclofen acting on GABA $_B$ receptors.

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The segregation of GIRK activity by I_{basal} yielded relatively similar channel density groups in all cell types; neurons did not appear to express large amounts of GIRK, and the high density group was empty (Fig 7A). Next, using the procedure of Fig 5, we calculated the G $\beta\gamma$ and then G α available for GIRK in all cases (Fig 7B and 7C). In all three systems, the relationship between G protein subunits and channel density was very similar to that found in oocytes. The most striking result was the persistent, channel density-independent availability of more than 3 G $\beta\gamma$ molecules per channel (Fig 7B). In all cases, the estimated G α :GIRK ratio was about 2 for the low channel densities, but this number decreased as channel density increased (Fig 7C). Nevertheless, estimates of G α :GIRK ratio in oocytes were lower than in HEK cells or neurons, indicating that there was a relative shortage of GIRK-associated G $\alpha_{i/o}$ in oocytes. We have therefore reanalyzed the experiments [30] in which G α was co-expressed in oocytes in 5–10 fold excess (in terms of RNA quantities) over GIRK1/2 (Fig 7, denoted as “oocytes+G α ”). These doses produced the maximal GIRK-specific “priming” effect of G α_{i3} : strong reduction in I_{basal} and increase in I_{evoked} without a significant reduction in I_{total} (S1 Table). To note, coexpression of G α_{i3} also produced R_a of ~10 which was comparable to the neurons with the lowest I_{basal} and highest R_a (compare S1 Table and Table 4). Calculation of available G $\beta\gamma$ and G α showed a robust persistence of G $\beta\gamma$:GIRK ratio of above 3 (Fig 7B). Expectedly, the estimate of the available G α greatly increased after G α_{i3} overexpression, but, remarkably, G α :GIRK ratio did not exceed 2 G α molecules/channel (Fig 7C).

Variations in $I_{\beta\gamma}/I_{\text{total}}$ ratio and $P_{o,\text{max}}$ in different cells could bias our estimates of channel density (Eq 2) and thus also estimates of G $\beta\gamma$ and G α . Therefore, for neurons, we repeated our calculations for a range of $I_{\beta\gamma}/I_{\text{total}}$ ratios between 1.5 and 3 (S9A Fig) and $P_{o,\text{max}}$ between 0.05 and 0.2 (S9C Fig). For comparison, a similar range of $I_{\beta\gamma}/I_{\text{total}}$ ratios was also tested for the oocyte data (S9B Fig). The exact values of G $\beta\gamma$:GIRK and G α :GIRK ratios varied, especially with changes in $I_{\beta\gamma}/I_{\text{total}}$ ratio. Generally, the lowest channel density is most sensitive to perturbations, and, for $I_{\beta\gamma}/I_{\text{total}} = 1.5$ (the lowest ratio tested), calculated G $\beta\gamma$:GIRK and G α :GIRK ratios exceed our usual estimates. However, this ratio is lower than that observed experimentally (Table 1), likely causing an overestimate of the values of G $\beta\gamma$ and G α . In all, although the absence of direct measurements of channel densities and $P_{o,\text{max}}$ in HEK cells and neurons introduces an element of uncertainty, our results support the functional stoichiometry of 3–4 G $\beta\gamma$ and 2 or less G α molecules per GIRK1/2 channel. Importantly, for a wide range of parameters, the main trends persist: available G $\beta\gamma$ is in excess over G α ; G $\beta\gamma$:GIRK ratio remains high (>3) whereas G α :GIRK ratio decreases as I_{basal} increases.

Changes in functional stoichiometry of GIRK, G $\beta\gamma$ and G α explain the inverse R_a - I_{basal} correlation

The systematic study presented above supports our hypothesis [51] that the inverse R_a - I_{basal} relationship for GIRK1/2 reflects a progressive decline in GIRK1/2-associated G α relative to G $\beta\gamma$. We could now test this hypothesis quantitatively, and establish whether the calculated changes in GIRK:G α :G $\beta\gamma$ functional stoichiometry can fully account for the R_a - I_{basal} relationship shown in Fig 1. To this end, we simulated the changes in R_a as a function of I_{basal} for a range of channel densities. We used channel densities, I_{basal} values and G $\beta\gamma$:GIRK and G α :GIRK ratios calculated above (Tables 1 and 3 for oocytes, Table 4 for neurons). No free parameters were allowed. The results are shown in Fig 8, for oocytes (grey circles) and hippocampal neurons (black triangles). At this point, the channel density estimates and thus the simulations for oocytes are more reliable than for neurons.

First, for simplicity, we assumed a constant G $\beta\gamma$:GIRK ratio at all densities (3.5 in oocytes and 3.4 in neurons; see Fig 7). For further simulations, in order to construct continuous curves,

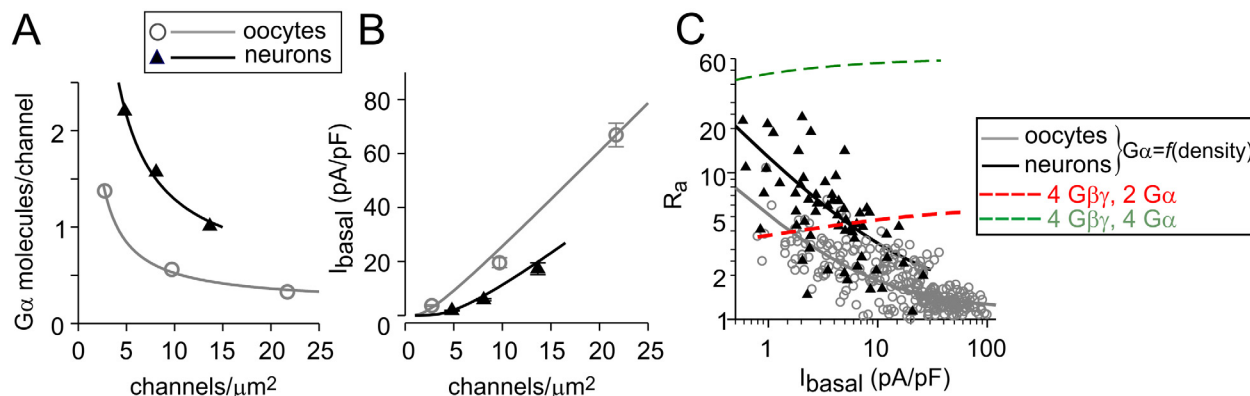


Fig 8. Inverse relation between I_{basal} and R_a arises from the decrease in G α available for GIRK activation at higher I_{basal} . (A) G α molecules/channel as a function of channel density. Data for G α :GIRK and channel density were adopted from Tables 1 and 3 (oocytes) and Table 4 (neurons). To generate a continuous curve, the channel density-G α relationship was arbitrarily fitted with a hyperbolic decay function of the form $G\alpha = Y_0 + a/x$, where x is channel density and a is a constant. (B) Simulated relation between I_{basal} and channel density. We utilized eqs 5–15 and solved them numerically in the 1–30 channels/ μm^2 range, using constant values of G $\beta\gamma$:GIRK ratio (3.5 for oocytes and 3.4 for neurons) and the calculated values of G α :GIRK from the fitted curves shown in A. (C) Simulated relationship of I_{basal} and R_a , with variable G α :GIRK (from A) and constant G $\beta\gamma$:GIRK ratios. Simulations with 4 G $\beta\gamma$ and 2 G α (red line) or 4 G $\beta\gamma$ and 4 G α (green line) available for one GIRK1/2 channel at all densities did not adequately describe the data.

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we needed to assign numeric values for G α :GIRK ratios within the full range of channel densities, based on the individual data points calculated for the “density groups” (Fig 8A). Since the reduction in G α :GIRK ratio as a function of channel density is a process of unknown nature, the data points were arbitrarily fitted to a hyperbolic function (Fig 8A, solid lines). Next, we simulated the relation between I_{basal} and channel density, by substituting the obtained values of G α :GIRK into eqs 5–15 (Fig 8B). The simulation gave a good match to data of Table 1 (oocytes) and Table 4 (neurons), indicating that the fitting procedure of Fig 8A was satisfactory. Finally, values of G α :GIRK from Fig 8A and I_{basal} from Fig 8B were used to simulate the R_a - I_{basal} relationship (Fig 8C, solid black and grey lines), matching well the raw data (triangles and circles). Simulations based on a constant relations of GIRK, G α and G $\beta\gamma$ at all channel densities (allowing G $\beta\gamma$ and G α recruitment) could not account for the observed trend in R_a changes. This is exemplified for a 1:4:2 and 1:4:4 GIRK:G $\beta\gamma$:G α stoichiometry (Fig 8C, red and green dashed lines, respectively). We conclude that the decrease in G α available for GIRK activation at higher I_{basal} can fully account for the inverse R_a - I_{basal} relationship in both experimental systems.

Discussion

General summary

In this work we have quantitatively analyzed the GPCR-G i/o -GIRK1/2 cascade, focusing on basal (I_{basal}) and agonist-evoked (I_{evoked}) activities, both of which regulate neuronal excitability. We developed a mathematical model which allows quantification and simulation of macroscopic GIRK1/2 currents under steady-state conditions, before and after activation by neurotransmitter or by G $\beta\gamma$. Our simulations fully rested on experimental data and parameters obtained in this and previous works. The modeling accurately described basal and evoked GIRK1/2 currents in two expression systems and in hippocampal neurons in a wide range of channel’s surface densities, correctly predicted the dose-dependent activation of GIRK1/2 by coexpressed G $\beta\gamma$ in *Xenopus* oocytes, and fully accounted for the inverse correlation between I_{basal} and agonist activation index (R_a) previously observed in heterologous systems and, as shown here, also in hippocampal neurons. Our experimental findings and the model lay the

basis for further analysis of the GPCR-G α -GIRK cascade, for example for GIRKs of different subunit composition, and in different cells.

Importantly, the present quantitative analysis provides novel and often unanticipated insights into the mechanisms of GIRK regulation by G protein subunits, G $\beta\gamma$ and G α^{GDP} . It reveals an unequal and, moreover, variable functional GIRK1/2:G $\beta\gamma$:G α stoichiometry: 1) Under all conditions tested, between 3 and 4 G $\beta\gamma$ dimers are available for GIRK1/2; 2) Only two or less G α are available per GIRK1/2 channel; 3) Increase of GIRK1/2 surface density is accompanied by a proportional increase in G $\beta\gamma$ (which is recruited by the channel), but not G α . The unequal, effector-dependent G α -G $\beta\gamma$ stoichiometry within the GIRK1/2 signaling cascade is an unexpected departure from classical schemes which usually assume that, prior to GPCR activation, the heterotrimeric G proteins available to the effector exist as stoichiometric complexes of G α and G $\beta\gamma$ [97]. We propose that the unique functional stoichiometry of GIRK1/2 with G protein subunits, and the cooperative nature of GIRK gating by G $\beta\gamma$, underlie the complex pattern of basal and agonist-evoked activities and allow GIRK1/2 to act as a sensitive bidirectional detector of both G $\beta\gamma$ and G α^{GDP} .

Our conceptual model of GIRK1/2 regulation (Fig 9) rests on the main findings of this study regarding the GIRK1/2:G $\beta\gamma$:G α stoichiometry (points 1–3 above) and the notion that, for G $\beta\gamma$ to activate GIRK, it must have its G α -interacting interface exposed and free to contact GIRK [19,92,98,99]. In the resting state, the channel's environment is enriched in 3–4 molecules of G $\beta\gamma$ and 1–2 G α . In this scenario, between one and three G $\beta\gamma$ molecules are not associated with G α^{GDP} and can bind and activate GIRK, resulting in a basal activity that is between 1 and 26% of total $P_{o,\text{max}}$ (see Fig 2C). Because of the gating cooperativity, occupancy of the first two G $\beta\gamma$ -binding sites yields low I_{basal} . The fewer G α , the more “free” G $\beta\gamma$ remains to occupy the activation sites at rest, yielding higher I_{basal} . After GPCR-induced separation of G α^{GTP} from G $\beta\gamma$ (lower arm of the scheme), due to gating cooperativity, addition of each G α -free G $\beta\gamma$ ensures a robust 4–6 fold activation (e.g. going from 2 to 3 or 3 to 4 G $\beta\gamma$ -occupied sites). An even stronger activation takes place with a shift from 2 to 4 G $\beta\gamma$ -occupied sites ($\times 16$); and so on. Overexpression of G $\beta\gamma$ “sequesters” G α and allows full occupancy of all G $\beta\gamma$ binding sites (middle arm of the scheme). Finally, overexpression of GIRK1/2 recruits G $\beta\gamma$ but not G α , increasing G $\beta\gamma$ /G α ratio (upper arm of the scheme). The balance between available G α^{GDP} and G $\beta\gamma$ yields a continuum of basal activity magnitudes even on the level of a single channel, and sensitively regulates the extent of activation by the agonist.

The scheme emphasizes the important fact that, given the relatively fixed amount of G $\beta\gamma$ available for GIRK1/2 activation, it is the availability of G $\alpha_{i/o}$ that determines the level of basal activity and, consequently, the extent of activation by agonists (as experimentally observed previously; [30,31]). The imbalance between G $\beta\gamma$ and G α renders GIRK1/2 with a sizeable I_{basal} , allowing it to act as a bidirectional, servo-like device [51] where its activity can be regulated not only by positive (G $\beta\gamma$, Na $^{+}$, PIP $_2$) but also negative (G α^{GDP} , protein kinase C, G α_q^{GTP} , PIP $_2$ depletion) stimuli.

Surface levels of GIRK and G proteins in *Xenopus* oocytes

Surface levels of endogenous G protein subunits and of heterologously expressed channels and G proteins crucially determine the behavior of the reconstituted signaling cascade, but they have never been quantitatively studied in the past in this common model system. We obtained very close estimates of surface levels of GIRK using two independent approaches: quantitative immunochemistry (which measures all channels in the PM) and electrophysiology (which counts only functional channels) (Fig 4). This indicated that the majority of GIRK1/2 channels in the PM of *Xenopus* oocytes were functional. Further use of GIRK1/2 as a molecular

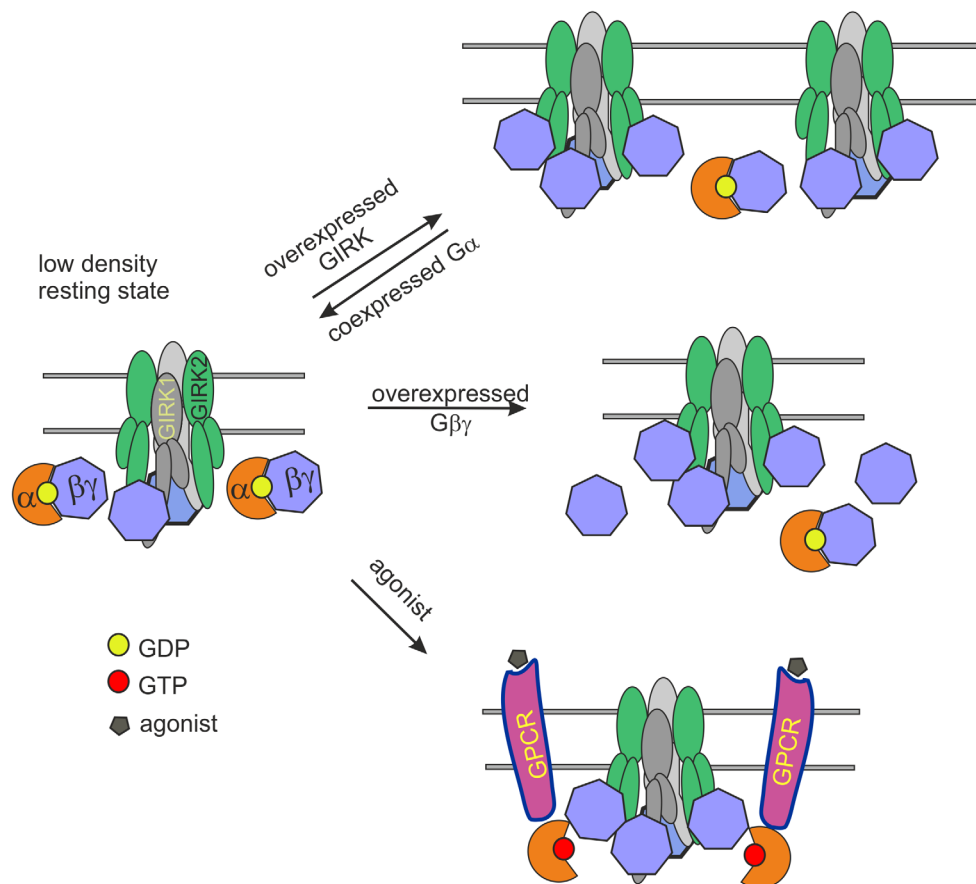


Fig 9. Schematic representation of the GPCR-G-protein-GIRK system. In resting state (no activated GPCR), the GIRK1/2 channel, a heterotetramer of 2 GIRK1 (grey) and 2 GIRK2 (green) subunits, is expected to interact with ~3–4 Gβγ subunits, two of which are bound to Gα^{GDP} subunits (GDP is shown by a yellow circle). For simplicity, the hypothetical Gβγ anchoring sites (which may be separate or partly overlapping with the Gβγ-activation sites) are not shown. The interaction of GIRK with Gβγ subunits is reversible. Gα^{GDP} can release the bound Gβγ in basal state, but since Gβγ-Gα^{GDP} interaction is of a high affinity, the probability of GIRK activation due to this process is relatively low. Thus, at any given time the channel is occupied by 2–3 Gβγ molecules (with an open probability of 6–26% of $P_{o,max}$ as shown in Fig 2C). GIRK overexpression leads to a decrease in GIRK:Gα ratio but does not change the GIRK:Gβγ ratio due to the additional recruitment of Gβγ by GIRK1/2, thus effectively increasing the proportion of channels occupied by > 3 Gβγ molecules, leading to an increase in “basal” open probability. The opposite process occurs upon overexpression of Gα, leading to a decrease in free Gβγ available for channel activation. On expression of Gβγ, its availability for channel activation increases, leading to higher fraction of 4 Gβγ-occupied channels with an open probability close to $P_{o,max}$. Activation of G-proteins by an agonist (grey pentagon) via a GPCR (magenta) leads to an exchange of GDP to GTP (red circle) on Gα molecules, and to the subsequent dissociation of the Gαβγ heterotrimer, liberating additional Gβγ for channel activation.

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fluorescent ruler for Gβγ yielded Gβγ density very close to density estimated from quantitative immunocytochemistry, affirming the “molecular ruler” procedure with GIRK1/2 and lending additional support to the measurements of GIRK1/2 density.

We estimated total cellular endogenous Gβγ in the oocyte as ~170 nM, similar to other cell types, 200–800 nM [100] and to the recent high-precision mass spectrometry measurement of ~200 nM Gβ in *Xenopus* eggs [101]. Notably, examination of data reported in the latter work [101] suggests a total concentration of all Gα in *Xenopus* eggs of ~350 nM. Thus, total oocyte’s Gβγ is not in excess over Gα, supporting our assumption (S4 Fig) that endogenous heterotrimeric G proteins are in the Gαβγ form before activation by GPCRs or coexpression of GIRK.

Our estimate of 24 molecules/ μm^2 of endogenous PM-associated G $\beta\gamma$, presumably as G $\alpha\beta\gamma$, is comparable to the ~ 40 molecules/ μm^2 evaluated in HEK cells [102]. In terms of concentration, 24 molecules/ μm^2 corresponds to ~ 4 μM , much higher than the cytosolic level of ~ 0.2 μM . Such enrichment of G proteins at the PM is expected, because of the lipid modification of both G α and G γ [84,103]. It is probable that a substantial fraction of the PM-associated endogenous G $\beta\gamma$ is not available for GIRK activation, being associated with G α_s or G α_q rather than G $\alpha_{i/o}$, or located in separate PM compartments, or associated with other effectors such as adenylyl cyclase [104]. Simulations showed that the main conclusions of our study are not affected by assuming a wide range of endogenous G $\alpha_{i/o}$ proteins available for GIRK, from 1 to 24 molecules/ μm^2 .

In this work, we varied the levels of heterologously expressed GIRK1/2 and G $\beta\gamma$. For GIRK1/2, the surface densities ranged from about 1 to 30 molecules/ μm^2 in oocytes and about 1–60 channels/ μm^2 in HEK293 cells (Table 4 and Fig 7). Densities of <20 channels/ μm^2 were estimated in cultured hippocampal neurons (Fig 7A). This is comparable to 9–10 channels/ μm^2 found in spines of cerebellar Purkinje neurons by quantitative electron microscopy [105]. Thus, the "low" and "intermediate" densities of expressed GIRK1/2 and G $\beta\gamma$ in oocytes and HEK293 cells may be the most physiologically relevant.

Modeling GIRK1/2 regulation by G $\beta\gamma$ in basal and agonist-activated states

For our description of GIRK currents, we have considered several models of GIRK channel gating by G $\beta\gamma$ (Fig 2B): the previously developed "concerted activation" model [58], the "graded contribution" model, and a more general model that includes 4 to 5 closed-open transitions. We were able to show that the latter two models converge to the same form of description of macroscopic steady-state P_o based on fractional contributions of channels occupied by 1 to 4 G $\beta\gamma$ molecules, experimentally demonstrated for GIRK1/4 [13,14] (see Results and Supplemental Discussion S2 Text for a detailed discussion). We have therefore chosen the graded contribution model as our main tool to simulate and predict GIRK1/2 currents. Despite its relative simplicity, this model incorporates several complex properties of GIRK gating, and provides a strong computational tool for the analysis of the G protein-GIRK signaling. First, in this model we implemented the gating cooperativity of GIRK, by including the graded contribution of each bound G $\beta\gamma$ to channel opening (Fig 2C). Second, to our knowledge, this is the first model to describe both basal and agonist-evoked GIRK activity. Third, the model allows to estimate the amount of G protein subunits available for channel activation without any *a priori* assumptions regarding the levels of endogenous G α or G $\beta\gamma$; the GIRK-available G α and G $\beta\gamma$ are calculated from experimental data (Fig 5). Finally, our method of calculating the functional stoichiometry of GIRK and G $\beta\gamma$ applies even if I_{basal} is partly due to the presence of a GPCR activated by low dose of an ambient neurotransmitter. In this case, the available G α calculated using the method of Fig 5 will represent only that fraction of GIRK-coupled G α that is still in its GDP-bound form.

In this work we left aside auxiliary/modulatory proteins such as RGS, focusing on the minimal essential composition of the cascade. We also have not addressed the impact of direct GIRK-G α interaction. We and others did not find significant direct effects of G α_i^{GDP} on GIRK1/2 gating; the main function of G α_i^{GDP} is the prevention of basal activation of the channel by ambient G $\beta\gamma$ and the release of G $\beta\gamma$ for channel activation by agonist/GPCR [31,34,36,106]. This function is fully implemented in our model. As for G α_i^{GTP} , it regulates the kinetics of I_{evoked} of GIRK1/2 but barely affects the steady-state amplitude [29,36]. Our present results suggest that, for GIRK1/2, effects of activated G α_i^{GTP} on GIRK1/2 current amplitude are negligible,

within a possible ~10% error. These considerations justify the omission of G α -GIRK binding reactions from model's equations. It remains possible that certain G α^{GTP} may differently regulate GIRK channels of other subunit compositions or under certain conditions [34,107].

Both graded contribution and concerted models showed that I_{basal} and I_{evoked} of the expressed GIRK1/2, and their changes with channel surface density, cannot be accurately described unless there is a recruitment of G $\beta\gamma$ to the PM by the channel. Recruitment of G α is probably negligible (S4 Fig, Table 3). The prediction of preferential availability of G $\beta\gamma$ over G α for GIRK1/2 concurs with the experimental findings [25], supporting the model's validity. Further validation came from predicting the system's response to perturbation in the form of dose-dependent response to coexpression of G $\beta\gamma$, producing a satisfactory simulation of both $I_{\beta\gamma}$ and $R_{\beta\gamma}$ (Fig 6, S7 and S8 Figs). Finally, on the basis of experimental data and the calculated molar ratios of GIRK:G $\beta\gamma$:G α for different channel densities, the model fully accounted for the inverse correlation between R_a and I_{basal} in GIRK1/2 (Fig 8), which was the starting point of this endeavor.

We also made the first steps to extend the model to hippocampal neurons. The analysis of GIRK behavior in HEK cells and hippocampal neurons yielded estimates of G $\beta\gamma$:GIRK and G α :GIRK ratios close to those obtained in oocytes (3–4 G $\beta\gamma$ and ≤ 2 G α), and a satisfactory simulation of the inverse R_a - I_{basal} relation observed in the neurons (Fig 8). Uncertainties remain, because calculation of channel density in neurons relied on oocyte and partly HEK cell data for $I_{\beta\gamma}/I_{\text{total}}$ ratios and $P_{o,\text{max}}$. A variety of GIRK compositions and distinct localization and density in cellular compartments further complicate the picture. Future quantitative studies are warranted for a more accurate description of GIRK activity in various neurons.

Functional stoichiometry of GIRK and G protein subunits

Our analysis provides two major insights into functional stoichiometry of GIRK1/2 vs. the G protein subunits. First, the molar ratios are both uneven and can change as a function of channels' density in the PM. The stoichiometry of more than 3 G $\beta\gamma$ per GIRK1/2 is practically invariable, whereas the amount of available G $\alpha_{i/o}$ is lower than G $\beta\gamma$ and further drops sharply as the level of expression of the channel increases. These estimates of G $\beta\gamma$ and G α availability remained remarkably stable under a wide range of potentially variable parameters, such as K_D of GIRK-G $\beta\gamma$ binding, the extent of G $\beta\gamma$ -independent basal activity, the size of submembrane reaction space, the $I_{\text{total}}/I_{\beta\gamma}$ ratio and $P_{o,\text{max}}$ in neurons, etc. Second, unexpectedly, the limiting stoichiometry for G $\beta\gamma$:G α :GIRK is 4:2:1.

The uneven G $\beta\gamma$:G α stoichiometry and the decrease in G $\beta\gamma$:G α ratio were suggested by previous qualitative findings [50,51]. Our new results support this hypothesis and provide new insights into the underlying mechanism. Assumptions of pre-assembly of GIRK1/2 with 1, 2, 3 or 4 G $\alpha\beta\gamma$ heterotrimers failed to recapitulate the observed macroscopic currents and R_a (S4 Fig). The decrease in G α :GIRK ratio as channel's levels increase is consistent with total PM concentration of G $\alpha_{i/o}$ being relatively constant at all GIRK1/2 densities (Table 3). This is in agreement with little or no recruitment of G α to the PM by GIRK1/2 [25,50]. On the other hand, the total amount of GIRK-available G $\beta\gamma$ in the PM increases as more GIRK1/2 channels are expressed, substantially exceeding the "basal" concentration of G $\beta\gamma$ of the naïve oocytes. The conspicuous persistence of G β :GIRK stoichiometry is best demonstrated in the oocytes, where it rests on a full quantitative analysis of experimental data. The identical estimates obtained in HEK cells and neurons (Fig 7B), though based on partial data, provide further support. The ability of GIRK1/2 to sustain a steady G $\beta\gamma$ -enriched environment strongly argues for a strong association between G $\beta\gamma$ and GIRK1/2, in line with the proposed high-affinity "anchoring" and recruitment of G $\beta\gamma$ by GIRK1 [25]. The mechanism of G $\beta\gamma$ recruitment is

unknown but may be due to co-trafficking from the endoplasmic reticulum [22] or "kinetic scaffolding" and similar mechanisms [63,108,109], as discussed in [25]. At present we cannot rule out that the participation of another Gβγ-binding PM protein, such as a GPCR, or unknown scaffolding proteins, is important for the enrichment of Gβγ.

It is widely accepted that the GIRK signaling cascade occurs within signaling complexes of GIRK channels with subunits of G_{i/o} heterotrimeric proteins and some GPCRs (reviewed in [4,61,110,111,112]). The uneven and variable stoichiometry within the GIRK1/2-Gβγ-Gα_i signaling complex revealed by this study is compatible with a high-affinity, dynamic complex, where the channel and the G protein subunits are allowed to dissociate and reassociate in the PM [113]. These considerations justify our use of standard kinetic formalism for modeling. Finite affinity and reversibility of GIRK-Gβγ interaction is also supported by the demonstration of competition between two Gβγ effectors, GIRK and voltage-gated calcium channels, for available Gβγ in sympathetic neurons [114], and by recent GIRK2 reconstitution studies in lipid bilayers [106].

In contrast to Gβγ, our present analysis supports the notion [36,51,106] that, at least in heterologous or artificial systems, Gα_{i/o}^{GDP} is not an obligatory partner in the complex. Notably, in neurons and HEK cells the calculated Gα:GIRK ratios are higher than in oocytes (Fig 7 and Table 4); thus the higher R_a in these cells. The greater availability of Gα in HEK cells and neurons may reflect the presence of scaffolding or trafficking aids absent in the oocytes. However, the inverse R_a-I_{basal} correlation and the (calculated) reduction in Gα at high channel densities are maintained in neurons and HEK cells, supporting the expendability of Gα.

The apparent limiting stoichiometry of 4 Gβγ molecules per channel is not surprising, since the model explicitly includes 4 Gβγ-binding sites per channel. However, the calculated availability of two or less Gα_{i/o}^{GDP}, under most conditions examined, was unexpected. The limit of 2 Gα per channel was only slightly exceeded in simulations of lowest channel densities and when allowing substantial deviations from our standard assumptions (S9 Fig). Most conspicuously, overexpression of Gα_{i3}, which reduced I_{basal} by 75–80% and elevated the activation index R_a to about 10, increased the calculated Gα:GIRK ratio from less than 0.5 to 2—but no more—Gα molecules per channel (Fig 7, S1 Table). Taken together, our results point to a limiting stoichiometry of 2 Gα molecules available for a GIRK1/2 channel. It is not clear what limits the amount of available Gα, but it is tempting to speculate that this limit reflects the maximal number of Gα molecules that can interact with GIRK1/2. The actual stoichiometry of this interaction is unknown, but the NMR study of Shimada and colleagues [115] indicates that the interacting surface of Gα^{GTP} requires two GIRK1 subunits of a GIRK1 tetramer for full contact. One GIRK1 subunit interacts with the helical domain of Gα and the other one with the GTPase domain [115].

We emphasize that our conclusions are valid for GIRK1/2 but may not be so for other GIRK channels. Thus, homomeric GIRK2 channels, with their low I_{basal} and very high response to Gβγ, do not recruit Gβγ to the PM [25] and probably do not show pre-association with 3–4 Gβγ, or may have more Gα. Excess of Gβγ over Gα has been observed in the phototransduction cascade [116,117] though it has not been linked to any effector. We speculate that effector-dependent changes in the balance of Gα and Gβγ may take place with effectors other than GIRK, playing a role in their regulation.

Materials and Methods

Ethics statement

All experiments were approved by Tel Aviv University Committee for Animal Use and Care (permits M-08-081 and M-13-002 for *Xenopus* frogs and M-12-061 for mice).

Animals and oocyte culture

Female frogs, maintained at $20\pm 2^\circ\text{C}$ on 10 h light/14 h dark cycle, were anaesthetized in a 0.17% solution of procaine methanesulphonate (MS222), and portions of ovary were removed through a small incision on the abdomen. The incision was sutured, and the animal was held in a separate tank until it had fully recovered from the anesthesia and then returned to the tank. The animals did not show any signs of postoperational distress and were allowed to recover for at least 3 months until the next surgery. Following the final collection of oocytes, anaesthetized frogs were killed by decapitation and double pithing. *Xenopus* oocytes were injected with RNA, and incubated in for 3–4 days at $20\text{--}22^\circ\text{C}$ in NDE-96 solution (in mM: 96 NaCl, 2 KCl, 1 CaCl₂, 1 MgCl₂, 2.5 Na-pyruvate, 50 $\mu\text{g}/\text{ml}$ gentamycin, 5 mM HEPES/NaOH, pH 7.5). All experiments with nerve cells derived from newborn mice, that have been analyzed in this paper, have been performed previously [47], and no additional mice have been used.

Antibodies, cDNA constructs, proteins and RNAs

The anti-GIRK1 polyclonal antibody was from Alomone Labs (Jerusalem), #APC-005. This antibody was raised against the distal C-terminal residues 437–501 of mouse GIRK1. 3 $\mu\text{g}/\text{mL}$ were used for Western blots. The anti-G β polyclonal antibody (T-20, from Santa Cruz. #sc-378) is directed against the last 50 amino acids (a.a.) of mouse G β . 0.4 $\mu\text{g}/\text{mL}$ were used for Western blots.

Most DNA constructs were as reported previously: bovine G β_1 , bovine G γ_2 , human muscarinic type 2 receptor (M2R), human G α_i3 , rat GIRK1, mouse GIRK2, YFP-GIRK1, GIRK2-HA, G β_1 -YFP, G γ_2 -YFP and G γ_2 -CFP [36,51,57]. To compare antibody labeling efficiency of bovine vs. *Xenopus* G β , we created the YFP-G β -XL construct in which the last 50 amino acids of the C-terminus in bovine G β were made identical to those of *Xenopus* G β_1 , by mutating 7 a.a.: V296I, A299C, A302R, D303E, A305V, A309S and D322S by standard PCR protocols. Preparation and storage of G $\beta_1\gamma_2$ and of the GST-fused distal C-terminus of GIRK1, GST-dCT (a.a.365–501) used for calibrations of Fig 4A were done as described previously [69,118]. RNA was synthesized *in vitro* [57]. Amounts of injected RNA are indicated in the text, Tables 1, S1 and in Figure legends.

Confocal imaging and calculation of surface density of G $\beta\gamma$ -YFP

Fluorescence levels of the expressed YFP (yellow fluorescent protein) and cerulean (termed here CFP, cyan fluorescent protein) were measured in intact *Xenopus* oocytes essentially as described [25,32]. Both YFP and CFP carried mutations that increase stability and reduce dimerization [32]. Briefly, oocytes were imaged in ND96 solution in a 0.7 mm glass-bottom dish using Zeiss 510META confocal microscope with a 20 \times air objective. Images were acquired in the spectral mode. CFP was excited at 405 nm and emission was measured at 481–492 nm. YFP was excited at 514 nm and emission was measured at 535–546 nm. Fluorescent signals were averaged from 3 regions of interest (ROI) using Zeiss LSM Image Browser, and averaged background measured at an area outside the cell was subtracted. The average signal from uninjected oocytes was subtracted for final analysis. Saturation of emission measurement was strictly avoided to ensure that the readout of the confocal microscope was linear within the range of measurement. All measurements were made in the linear range of the recording apparatus.

In calculating G $\beta\gamma$ surface density through comparing fluorescent signals from YFP-GIRK and G $\beta\gamma$ -YFP, the fluorescent intensities of the two proteins were compared directly from oocytes of the same batch on the same day, as described in Fig 4D. No correction for non-fluorescent (improperly folded) YFP [119] was needed (assuming that the percent of misfolding

was similar in all YFP fusion proteins used here), because the ionic current $I_{\beta\gamma}$ (a fluorescence-independent parameter) was used as the basis for GIRK density estimates.

Giant membrane patches of oocyte membrane were prepared and imaged as described [25,95]. For imaging, fixated membranes were immunostained with the anti-G β antibody at 1:200 dilution. Cy3-conjugated anti-rabbit secondary antibody (Jackson ImmunoResearch) was used for imaging with the 543 nm laser, and excitation was measured at 566–577 nm. Background fluorescence from an area outside the giant patch was subtracted. For final analysis shown in Fig 6, the signal from uninjected oocytes was subtracted from all groups.

Biochemistry

Manual separation of plasma membranes from the rest of the oocyte (“cytosol”) was performed as described [81], with modifications. Plasma membranes together with the vitelline membranes (extracellular collagen-like matrix) were removed manually with fine forceps after a 5–15 min incubation in a low osmolarity solution (5 mM NaCl, 5 mM HEPES, and protease inhibitors (Roche Complete Protease Inhibitors Cocktail, 1 tablet/50 ml), pH = 7.5). The remainder of cell (cytosols) was processed separately. First, the nuclei were separated by centrifuge for 10 min at 700 \times g at 4°C. Plasma membranes and cytosols were solubilized in 35 μ l running buffer (2% SDS, 10% glycerol, 5% β -mercaptoethanol, 0.05% Bromophenol Blue, 62.5 mM Tris-HCl pH 6.8) and heated to 65°C for 5 min. Samples were electrophoresed on 12% polyacrylamide-SDS gel, and transferred to nitrocellulose membranes for Western blotting with the various antisera. The signals were visualized using the SuperSignal kit (Thermo) and quantitated using ImageJ software (National Institutes of Health, USA).

Electrophysiology

Macroscopic current recording in neurons. Raw data from primary cultures of mouse hippocampal neurons used in the analysis of Figs 1 and 7 were from whole-cell patch clamp experiments. A subset of data shown (40 neurons out of 60) had been reported previously [47] but the $I_{\text{basal}}-I_{\text{evoked}}$ relation has not been analyzed. The bath solution contained the low-K $^{+}$ bath solution (in mM: 145 NaCl, 4 KCl, 1.8 CaCl $_2$, 1 MgCl $_2$, 5.5 D-glucose, 5 HEPES/NaOH; pH 7.4), which was replaced to the high-K $^{+}$ solution for GIRK current measurement (in mM: 120 NaCl, 25 KCl, 1.8 CaCl $_2$, 1 MgCl $_2$, 5.5 D-glucose, 5 HEPES/NaOH; pH 7.4). Both external solutions contained 0.5 μ M TTX and 0.5 mM kynurenic acid. Patch pipettes (3–5 M Ω) were filled with intracellular solution (in mM: 130 K-Gluconate, 0 or 6 NaCl, 1 EGTA, 1 MgCl $_2$, 10 HEPES, 2 MgATP, 0.3 Tris-GTP, 0.01 Tris-GDP, pH 7.3). Baclofen (Sigma) was added at 100 μ M, sTertiapin-Q or rTertiapin-Q (TPNQ; Alomone labs, Jerusalem) at 100–120 nM [120]. We refrained from using Ba $^{2+}$ as GIRK blocker in neurons because of its low specificity [1]. Indeed, 1 mM Ba $^{2+}$ blocked a much greater fraction of the total inward current in high-K $^{+}$ solution (S1 Fig), confirming that additional Ba $^{2+}$ -sensitive channels contribute to total basal conductance in these cells (e.g. [53]). In contrast, we used Ba $^{2+}$ to block the expressed GIRK channels in *Xenopus* oocytes and HEK293 cells, which have negligible intrinsic (endogenous) Ba $^{2+}$ -sensitive basal currents (S2 Fig) [120,121].

Current measurements in neurons were done at -70 mV. To correct for the difference in K $^{+}$ driving force when comparing whole-cell currents from neurons and oocytes (for Fig 7 and Table 4), correction to a holding potential of -80 mV was done assuming $E_K = -37$ mV in the 25 mM K $^{+}$ solution. 4 cells (out of 65) with $I_{\text{basal}} < 0.5$ pA/pF were discarded because the recording was deemed unreliable owing to the low signal-to-noise ratio. One cell was found to be outlier by Grubb's test using GraphPad outlier calculator <http://graphpad.com/quickcalcs/>

[Grubbs1.cfm](#). No correction has been made for the 1 mM difference in [K]_{out} of oocyte's vs. neuronal high-K⁺ solution (24 vs. 25 mM).

Macroscopic current recording in *Xenopus* oocytes. All experiments were done at 20–22°C essentially as described [51]. Data acquisition and analysis were done using pCLAMP (Molecular Devices, Sunnyvale, CA). Whole-cell currents were measured using two electrode voltage clamp in the ND96 (low K⁺) solution and in a high K⁺ solutions (24 mM K⁺, isotonically replacing NaCl in ND96) as shown in [S2 Fig](#). Currents were recorded at –80 mV, filtered at 500 Hz, and sampled at 5 or 10 kHz. Currents in oocytes were converted to densities, in pA/pF, assuming an oocyte's capacitance of 200 nF [88]. For analysis of correlation between I_{evoked} and R_a and for [Table 1](#), new raw data in the low and high GIRK1/2 density groups (total of 41 cells) were combined with raw data collected for our previous publication [30] (20 cells). I_{basal} was measured after blocking all GIRK currents by 5 mM Ba²⁺ [31].

Patch clamp recordings in *Xenopus* oocytes. Patch clamp experiments were done using Axopatch 200B (Molecular Devices, Sunnyvale, CA). Currents were recorded at –80 mV, routinely filtered at 2 kHz and sampled at 20 kHz. In some patches we also used filtering at 5 kHz. Patch pipettes had resistances of 1.4–3.5 M Ω . Pipette solution contained, in mM: 144 KCl, 2 NaCl, 1 MgCl₂, 1 CaCl₂, 1 GdCl₃, 10 HEPES/KOH, pH 7.5. GdCl₃ completely inhibited the stretch-activated channels. The bath solution contained, in mM: 144 KCl, 2 MgCl₂, 6 NaCl, 1 EGTA, 10 HEPES/KOH, pH 7.5. To obtain single channel recordings, oocytes were injected with low doses of RNA of GIRK1 (10–50 pg), and RNA of GIRK2 was 1/2 to 1/3 of that (5–17 pg), to avoid the formation of GIRK2 homotetramers. In addition, 50 ng of the antisense oligonucleotide against oocyte's endogenous GIRK5 was injected to prevent the formation of GIRK1/5 channels [122]. Number of channels was estimated from overlaps of openings during the whole time of recording (at least 5 min). Single channel current (I_{single}) was calculated from all-point histograms of the original records [123], and open probability (P_o) was obtained from event lists generated using idealization procedure based on 50% crossing criterion [124]. P_o was calculated only from records that contained 1, 2 or 3 channels. Each recording lasted for at least 4 min and contained >10,000 openings. Thus, the probability of missing a channel was negligible ($p < 10^{-248}$ for 1-channel records). In support, P_o in patches with 2 or 3 channels was similar (0.071 \pm 0.02, n = 2, and 0.078 \pm 0.021, n = 3, respectively) and even lower than in 1-channel patches (0.15 \pm 0.026, n = 3), opposite to what would be expected in the case of underestimation of channel number. GPCR-evoked GIRK1/2 activity was induced via the coexpressed m2R with 2 or 5 μ M ACh in the patch pipette. 2 μ M ACh is a saturating concentration for GIRK1/2 expressed in *Xenopus* oocytes [62]. Because a slow reduction of activity over several minutes was observed in some patches, ACh-induced P_o was estimated during the first minute of the record. For channels activated by coexpressed G $\beta\gamma$, there was no decrease in P_o over >4 minutes, and the P_o was averaged from the first 4 minutes of the record.

Macroscopic current recording in HEK293 cells. Most of the data on GIRK1/2 expressed in HEK293 cells transfected with cDNAs of GIRK1 and GIRK2 and m2R (Tables 2 and 4; [Fig 7](#)) are from experiments described previously [51]. Data on I _{$\beta\gamma$} in HEK cells have been obtained in the same series of experiments but have not been reported previously. HEK293 cells were transfected with cDNAs of GIRK1, GIRK2, m2R (0.5 μ g each), without or with the edition of DNAs of G β 1 and G α_{i3} (0.2 μ g each). Whole cell recordings were performed at –80 mV with patch pipette solution containing, in mM: 130 KCl, 1 MgCl₂, 5 EGTA, 3 MgATP, 10 HEPES. Low-K bath solution contained, in mM: 140 NaCl, 4 KCl, 1.8 CaCl₂, 1.2 MgCl₂, 11 glucose, 2 CdCl₂, 5.5 HEPES. High-K bath solution contained 90 mM KCl and 54 mM NaCl, the rest was as in low-K solution. To compare with data from oocytes (for [Fig 7](#) and [Table 4](#)), the correction factor to adjust for current amplitude difference in 90 mM K⁺ (HEK293) vs. 24–25 mM K⁺ solution (oocytes, neurons) was determined experimentally to be 3.27 \pm 0.14 (n = 7; measured in oocytes).

Modeling of Gβγ activation of GIRK1/2

In general, the macroscopic GIRK1/2 current, I , can be calculated utilizing a modified (Eq 1):

$$I = I_{\text{single}} \cdot P_o \cdot N / f_{\text{sc}} \quad (5)$$

where I_{single} is a unitary current and N is the number of channels [1]. f_{sc} is a solution conversion factor between solutions used for whole-cell (24 mM K^+) and in cell-attached patches (144 mM K^+). f_{sc} was estimated as 4.63 ± 0.26 ($n = 6$) by measuring GIRK currents in the same oocytes in the two solutions, in whole-cell configuration.

For the graded contribution model, we define P_o as:

$$P_o = P_{o,\text{max}} \cdot \sum_{x=1}^4 f_{p,x} \cdot \phi_x \quad (6)$$

where $P_{o,\text{max}}$ is the maximal open probability, $f_{p,x}$ is the fraction of P_o contributed by x Gβγ-occupied channel (x is an integer between 1 and 4), and the ϕ_x is the fraction of channels in the x Gβγ-occupied state and can be calculated according to:

$$\phi_x = \frac{[C_x]}{C_{\text{total}}} \quad (7)$$

where $[C_x]$ is the concentration of channels in x Gβγ-occupied state and C_{total} is the total channel concentration in membrane. For the concerted model, Eq 6 is reduced to

$$P_o = P_{o,\text{max}} \cdot \phi_4$$

where ϕ_4 is the fraction of channels with four bound molecules of Gβγ [58].

For the graded contribution model, we calculated values of $f_{p,x}$ based on data described by Ivanova-Nikolova et al. (1998) [13] rendering $\sim 0.01, 0.06, 0.26$ and 1 values corresponding to 1–4 Gβγ occupied states. Based on mass-action law and Fig 2B, GIRK1/2 channel activity can be described by the following system of eqs (8–12):

$$[C_0] \cdot [G\beta\gamma] = \frac{1}{4} K_D \cdot [C_1] \quad (8)$$

$$[C_1] \cdot [G\beta\gamma] = \frac{2}{3} K_D \cdot [C_2] \quad (9)$$

$$[C_2] \cdot [G\beta\gamma] = \frac{3}{2} K_D \cdot [C_3] \quad (10)$$

$$[C_3] \cdot [G\beta\gamma] = 4 \cdot K_D \cdot [C_4] \quad (11)$$

$$[C_0] + [C_1] + [C_2] + [C_3] + [C_4] = C_{\text{total}} \quad (12)$$

where the K_D is a dissociation constant of Gβγ and GIRK1/2. For our simulations we routinely used $K_D = 50$ nM as measured in direct biochemical experiments [90], but a range of other values has also been tested as explained in the Results.

For both concerted and graded contribution models, G protein dissociation reaction required for modeling of GIRK1/2 basal activity according to the schemes described in Fig 2B

is formulated as:

$$k_{\text{on}} \cdot [\text{G}\beta\gamma] \cdot [\text{G}\alpha_{\text{GDP}}] = k_{\text{off}} \cdot [\text{G}\alpha_{\text{GDP}}\text{G}\beta\gamma] \quad (13)$$

$$\text{G}\beta\gamma_{\text{total}} = [\text{G}\beta\gamma] + [\text{G}\alpha_{\text{GDP}}\beta\gamma] + [\text{C}_1] + 2 \cdot [\text{C}_2] + 3 \cdot [\text{C}_3] + 4 \cdot [\text{C}_4] \quad (14)$$

$$\text{G}\alpha_{\text{total}} = [\text{G}\alpha_{\text{GDP}}] + [\text{G}\alpha_{\text{GDP}}\text{G}\beta\gamma] \quad (15)$$

where $\text{G}\beta\gamma_{\text{total}}$ and $\text{G}\alpha_{\text{total}}$ are total concentrations of corresponding subunits available for interaction with the channel and k_{on} and k_{off} are association and dissociation constants of G_i protein subunits ($0.7 \cdot 10^6 \text{ M}^{-1} \text{ s}^{-1}$ and 0.0013 s^{-1} , respectively [56]). Eqs 8–12, combined with Eqs (13–15) is the most general form of description of a system containing GIRK channel and G proteins. For simulation of agonist-evoked activity, with saturating doses of both GPCR and agonist, we assumed a complete dissociation of G- protein heterotrimer [63,64] and thus Eq 14 is changed to:

$$\text{G}\beta\gamma_{\text{total}} = [\text{G}\beta\gamma] + [\text{C}_1] + 2[\text{C}_2] + 3[\text{C}_3] + 4[\text{C}_4] \quad (16)$$

Simulations were performed using Matlab and Berkeley Madonna software. Steady-state simulations used in model development and application, as well as in most Figures, were done utilizing Matlab 6.5 function “solve” which is a part of Symbolic Math Toolbox. This function first looks for analytical solution, and if the former is absent, switches to numerical iterative algorithm (“trust region algorithm”, “quasi-Newton algorithm”). MATLAB routines for the calculation of $\text{G}\beta\gamma$ and $\text{G}\alpha$ available for GIRK with the graded contribution model are shown in Supplemental Methods (S1 Text).

In several cases we tested a range of arguments to produce continuous curves range of changes in GIRK1/2 currents or their ratios (R_a , $R_{\beta\gamma}$) (Fig 6C, S4, S7 and S8 Figs). Here, in order to reduce calculation time, we utilized Berkeley Madonna software which implements 4th order Runge-Kutta method for numerical solution of differential equations (see Supplemental Methods, S1 Text). To assure lack of inconsistencies in calculation, we have compared the Matlab and Berkeley Madonna calculation results for a large number of cases and always obtained the same numbers.

Statistics

Imaging data on protein expression have been normalized as described previously [125]. Fluorescence intensity in each oocyte or giant membrane was calculated relative to the average signal in the oocytes of the control group of the same experiment. This procedure yields average normalized intensity as well statistical variability (e.g. SEM) in all treatment groups as well as in the control group. Statistical analysis was performed with SigmaPlot 11 (Systat Software Inc., San Jose, CA, USA). If the data passed the Shapiro-Wilk normality test and the equal variance test, two-group comparisons were performed using t-test. If not, we performed the Mann-Whitney Rank Sum Test. Multiple group comparison was done with one-way ANOVA if the data were normally distributed. ANOVA on ranks was performed whenever the data did not distribute normally. Tukey’s post-hoc test was performed for normally distributed data and Dunn’s post-hoc test otherwise. Unless specified otherwise, the data in the graphs is presented as mean \pm SEM. Correlation between two parameters (such as basal current and R_a) was tested using the Spearman correlation test by running this test on raw data using the statistical module of SigmaPlot 11.

Supporting Information

S1 Text. Supplemental Methods. MATLAB routines for the calculation of G $\beta\gamma$ and G α available for GIRK with the graded contribution model; Calculations of model predictions for a range of parameters using the Berkeley Madonna software.

(DOCX)

S2 Text. Supplemental Discussion. Conversion from channel densities to concentrations; GIRK1/2 stoichiometry; Estimating steady-state open probability with the “separate gating transitions” model.

(DOCX)

S1 Table. Effect of coexpression of G α_{i3} on GIRK1/2 currents in oocytes. Data are from 2 to 4 experiments, for each group, shown as mean \pm SEM. We did not include experiments with extremely large G α_{i3} RNA quantities, as expression of higher doses of G α_{i3} usually reduced I_{to} , indicating a general G $\beta\gamma$ scavenging effect rather than priming.

(DOCX)

S1 Fig. Block of inward currents in cultured hippocampal neurons by TPNQ and Ba $^{2+}$. (A) Ba $^{2+}$ (1 mM) blocks a greater fraction of the total inward current in high-K $^{+}$ solution, compared to TPNQ (120 nM). The experimental protocol was the same as in Fig 1, with the additional step of Ba $^{2+}$ addition after TPNQ. Δ TPN and Δ Ba denote the magnitudes (shown by double-headed arrows) of TPNQ- and Ba-blocked currents, respectively. Note that Ba $^{2+}$ blocked a much greater fraction of the total inward current in high-K $^{+}$ solution, most probably of the block of additional Ba $^{2+}$ -sensitive channels present in these neurons. (B) Comparison of average TPNQ- and Ba $^{2+}$ -blocked currents in 14 cells of one batch of neurons. Statistical significance ($p < 0.001$) was determined using Wilcoxon Signed Rank test (the data did not pass normality test).

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S2 Fig. GIRK1/2 currents in oocytes. Holding potential was -80 mV, low-K $^{+}$ and high-K $^{+}$ solutions contained 2 and 24 mM K $^{+}$, respectively (K $^{+}$ was replaced for Na $^{+}$). Net GIRK currents were determined by subtracting the current remaining after the addition of 5 mM BaCl $_2$. (A) I_{basal} and I_{evoked} in an oocyte expressing m2R, GIRK1 and GIRK2. Calculation of R_a was done in every cell from its own I_{basal} and I_{evoked} . (B) $I_{\beta\gamma}$ in an oocyte expressing m2R, GIRK1, GIRK2 and G $\beta\gamma$. Note that adding ACh did not evoke a significant additional GIRK current, suggesting full activation by G $\beta\gamma$. $R_{\beta\gamma}$ was calculated in each cell by dividing its own $I_{\beta\gamma}$ by the average $I_{\beta\gamma}$ from the control group of the same experiment in which no G $\beta\gamma$ was coexpressed. (C) Expression of m2R in a wide range of doses does not affect I_{basal} . 5–8 oocytes have been tested in each group. There were no significant differences between treatments as tested by one-way ANOVA.

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S3 Fig. Characterization of YFP-labeled GIRK1 and G β . (A, B) Single channel parameters of GIRK1/2 and YFP-GIRK1/2 channels are very similar. (A) Cell-attached records of channel activity expressing the channel and G $\beta\gamma$ (5 ng RNA). (B) Comparison of average i_{single} and P_o . Data are from oocytes of the same batch, recorded during a two-day experiment. (C, D) The anti-G β antibody similarly recognizes YFP-labeled bovine and *Xenopus* G β subunits in Western blots of manually peeled plasma membranes. Data are from 4 separate experiments. For Western blots, 15 to 20 plasma membranes were pooled. For confocal imaging, groups of 3–16 oocytes were examined, and the average fluorescence level was compared with that of YFP--GIRK1/2 (therefore the statistical significance was calculated using paired t-test). The density

of the latter was calculated from the measurement of currents as explained in the text. In each experiment, both confocal imaging, current measurement and Western blots of manually peeled membranes were done in oocytes of the same donor. There was a good agreement for surface density estimates of YFP-G β -XL from confocal "molecular ruler" measurements and from quantitative Western blots, either in absolute terms as molecules/ μm^2 (C) or in relative terms, normalized to estimates of YFP-G β in each experiment (D). YFP fluorescence can be safely assumed to be independent of the species of fused G β (mammalian or *Xenopus*). Therefore, similar estimates of surface density observed from confocal imaging and Western blots suggest that the G β antibody used here recognizes the oocyte's endogenous G β in Western blots similarly to the coexpressed mammalian (bovine) G β_1 .

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S4 Fig. Simulation of density-dependent changes in whole-cell GIRK1/2 activity. Experimental data (from Table 1) are shown as red circles (mean \pm SEM). The simulations of currents and R_a were done using the graded contribution model. (A) Testing the hypothesis that the endogenous G $\alpha\beta\gamma$ heterotrimers are the only source of G $\beta\gamma$ for GIRK activation; I_{basal} is due to spontaneous dissociation of G $\alpha\beta\gamma$ into G α^{GDP} and G $\beta\gamma$ (see Fig 2A). Simulations were performed assuming that only part (1 or 10 molecules/ μm^2 , black and red curves) or all (24 molecules/ μm^2 , blue curves) endogenous G proteins can donate G $\beta\gamma$ to activate GIRK1/2. Note that no satisfactory description of data can be obtained under any of these conditions. The simulated I_{basal} is too low; for high channel densities, also the full I_{evoked} could not be obtained even assuming that all endogenous G $\alpha\beta\gamma$ (i.e. all 24 molecules/ μm^2) could release G $\beta\gamma$ and activate GIRK. (B) Testing the hypothesis that the expressed GIRK1/2 recruits additional endogenous G protein subunits to the PM, e.g. from other cellular compartments. Simulations were done assuming that each GIRK1/2 channel recruits from 1 to 4 G α heterotrimers. The recruited G α and G $\beta\gamma$ were added to the pre-existing endogenous plasma membrane-attached G $\alpha\beta\gamma$ before G $\beta\gamma$ expression. (C) Testing the hypothesis that the expressed GIRK1/2 recruits additional endogenous G $\beta\gamma$, but not G α , to the PM; the rest was done as in B. Calculations in (B) and (C) assumed 24 molecules/ μm^2 of endogenous G α available for GIRK. Similar results were obtained assuming 10 molecules/ μm^2 (data not shown). Simulations as in A-C were also done with the concerted model, yielding similar results (data not shown).

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S5 Fig. The concerted activation model supports the unequal stoichiometry estimates of G $\beta\gamma$ and G α available for GIRK1/2. The plots present the calculated amounts of G $\beta\gamma$ and G α available for GIRK1/2 using the concerted model for a range of K_D for the GIRK-G $\beta\gamma$ interaction (5–100 nM), for the three channel density groups of Table 1.

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S6 Fig. The presence of G $\beta\gamma$ -independent intrinsic activity and the dimensions of submembrane reaction space do not significantly alter the estimates of GIRK1/2-available G proteins subunits. Calculations were done assuming $K_D = 50$ nM for the GIRK-G $\beta\gamma$ interaction. (A-C), the impact of G $\beta\gamma$ -independent basal activity. Calculations were done for G $\beta\gamma$ -independent intrinsic activity of a single channel ranging from 1% to 10% of $P_{\text{o,max}}$. Available G $\beta\gamma$ (A), G α (B) and the G $\beta\gamma$ -independent fraction of I_{basal} (C) were calculated for the three channel density groups of Table 1. (D, E) Varying the submembrane space thickness in a wide range, 1–20 nm, does not significantly change the estimates of functional stoichiometry of GIRK1/2-G $\beta\gamma$ -G α .

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S7 Fig. Simulations of the G $\beta\gamma$ dose-response experiment for a range of assumed G $\beta\gamma$ densities. Because in the experiment of Fig 7 the actual density of G $\beta\gamma$ in the PM has not been

directly measured, the calculations of Fig 7C assumed that it was equal to the average density of 30 G $\beta\gamma$ molecules/ μm^2 (with 5 ng RNA), as measured in other 4 experiments done during the same time period. Here, we run simulations as in Fig 7C for 20 or 44 molecules G $\beta\gamma$ / μm^2 (A, C) and compare the result with that of Fig 7C (shown here again in B for a direct comparison). The color codes are as in Fig 7: the blue line presents the simulation using graded contribution model and amounts of G α and G $\beta\gamma$ (without coexpressed G $\beta\gamma$) calculated as explained in Fig 7 legend, and red, black and green lines show simulation with endogenous G proteins only and no G $\beta\gamma$ recruitment allowed.

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S8 Fig. Another experiment on dose-dependent activation of GIRK1/2 by coexpressed G $\beta\gamma$.

The presentation is similar to that of Fig 7. G β was coexpressed with G γ -YFP in incremental doses, and with a constant amount (1 ng RNA) of wt GIRK1/2. RNA of G γ -YFP was always half of that of G β RNA, by weight. (A) G $\beta\gamma$ -YFP fluorescence levels (grey bars, left Y-axis) and GIRK currents (red circles, right Y-axis) are shown on the same plot. GIRK1/2 density, calculated from $I_{\beta\gamma}$ of the 17 ng G $\beta\gamma$ -YFP group, was 13 molecules/ μm^2 . In addition, we injected YFP-GIRK1/GIRK2 (5 ng GIRK1-YFP) and measured I_{basal} which was $8.4 \pm 1.1 \mu\text{A}$ ($n = 11$), comparable to I_{basal} of unlabeled GIRK1/2 ($9.4 \pm 0.8 \mu\text{A}$). Thus, we assumed the same density of ~ 13 channels/ μm^2 for labeled and unlabeled channels. Since the YFP-GIRK1/2 gave a fluorescent signal of 1237 ± 221 AU ($n = 7$), this signal was assumed to correspond to 26 YFP molecules/ μm^2 . This number was used as the basis of calculations of G $\beta\gamma$ -YFP density for plots shown in B. (B) Comparison of measured $I_{\beta\gamma}$ or $R_{\beta\gamma}$ (red circles) and simulated currents or $R_{\beta\gamma}$ (blue curves). The left and right Y-axes are related to $I_{\beta\gamma}$ and $R_{\beta\gamma}$, respectively. Available G α and G $\beta\gamma$ (before G $\beta\gamma$ coexpression) were estimated from I_{total} and I_{basal} , giving 3.82 and 0.42 molecules/ μm^2 of G $\beta\gamma$ and G α , respectively.

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S9 Fig. Estimated stoichiometries of G α and G $\beta\gamma$ available for GIRK in neurons and

oocytes in a range of $I_{\beta\gamma}/I_{\text{total}}$ ratios and $P_{\text{o,max}}$. Whereas for the oocytes the actual $I_{\beta\gamma}/I_{\text{total}}$ ratio and $P_{\text{o,max}}$ are known, in neurons these parameters are not known. Both parameters affect the calculated channel density and could affect the estimates of stoichiometry. The calculations shown in this Figure demonstrate the same general trend in stoichiometries of GIRK1/2, G $\beta\gamma$ and G α as we have found in the previous analysis in the oocytes, in a range of $I_{\beta\gamma}/I_{\text{total}}$ ratios (for neurons and oocytes; A and B) and $P_{\text{o,max}}$ (for neurons; C). The estimates of G $\beta\gamma$ are around 3-4/channel and relatively independent of I_{basal} , and those of G α are below 2 and drop sharply with the increase in I_{basal} . Generally, the lowest channel density is most sensitive to perturbations, and, for the lowest simulated $I_{\beta\gamma}/I_{\text{total}}$ ratio, calculated G $\beta\gamma$ /channel and G α /channel exceed our usual estimates.

(TIF)

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Author Contributions

Conceived and designed the experiments: DY SB UK MR IFT BS TKR CWD ND. Performed the experiments: DY SB UK MR IFT BS TKR ND. Analyzed the data: DY SB UK MR IFT BS TKR ND. Contributed reagents/materials/analysis tools: CWD. Wrote the paper: DY SB UK CWD ND.

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Supporting Information.

Supplemental Methods.

MATLAB routines for the calculation of $G\beta\gamma$ and $G\alpha$ available for GIRK with the graded contribution model

Template for the calculation of $G\beta\gamma_{total}$

```
[c0,c1,c2,c3,c4, cf,gbg,gbgt]=  
solve ('4*c0*gbg= KD*c1', '3*c1*gbg=2* KD*c2', '2*c2*gbg=3 *KD*c3',  
'c3*gbg=4* KD*c4','c0+c1+c2+c3+c4=n*166e-9 ',  
'gbg+c1+2*c2+3*c3+4*c4=m',  
'0.013*c1+.065*c2+.26*c3+c4=cf',  
'cf=p /(72836285*.105)')  
% Copy the system to worksheet  
% Enter the following:  
% n – number of channels per  $\mu\text{m}^2$   
% p – current in  $\mu\text{A}$  ( $I_{total}$ )  
% gbg -  $G\beta\gamma_{total}$ 
```

Template for the calculation of $G\alpha_{total}$

```
[c0, c1, c2, c3, c4, cf, ga, gagbg, gat, gbg]=  
solve ('c0*gbg= 4*KD*c1', '3*c1*gbg=2* KD*c2', '2*c2*gbg=3 *KD*c3',  
'c3*gbg=4* KD*c4', 'c0+c1+c2+c3+c4=n*166e-9',  
'gbg+gagbg+c1+2*c2+3*c3+4*c4=m', 'ga+gagbg=gat', '0.0013*gagbg=0.7e6*ga*gbg',  
'0.013*c1+.065*c2+.26*c3+c4=cf',  
'cf=q /(72836285*.105)')  
% Copy the system to worksheet  
% Enter the following:  
% n – number of channels per  $\mu\text{m}^2$   
% q – current in  $\mu\text{A}$  ( $I_{basal}$ )  
% m -  $G\beta\gamma_{total}$   
% gat -  $G\alpha_{total}$ 
```

Template for the simulation of a Gβγ overexpression experiment

```
[c0, c1, c2, c3, c4, cf, curr, ga, gagbg, gat, gbg]=  
solve('c0*gbg= 4*KD*c1', '3*c1*gbg=2* KD*c2', '2*c2*gbg=3 *KD *c3',  
'c3*gbg=4* KD*c4', 'c0+c1+c2+c3+c4=n*166e-9',  
'gbg+gagbg+c1+2*c2+3*c3+4*c4=m', 'ga+gagbg=gat', '0.0013*gagbg=0.7e6*ga*gbg',  
'0.013*c1+0.065*c2+0.26*c3+c4=cf',  
'curr=cf*(72836285*.105)')  
% Copy the system to worksheet  
% Enter the following:  
% n – number of channels per μm2  
% curr – current in μA  
% m - Gβγtotal  
% gat - Gαtotal  
All results are in M
```

Calculations of model predictions for a range of parameters using the Berkeley Madonna software.

To simulate macroscopic GIRK1/2 currents or their ratios (R_a , $R_{\beta\gamma}$) for a range of arguments in order to produce continuous curves (Figs. 5, 7C, S4, S7, S8), we utilized Berkeley Madonna software which implements 4th order Runge-Kutta method for numerical solution of differential equations. In these calculations, channel activation process by Gβγ was described by following system of differential equations:

$$\begin{aligned} d(G\beta\gamma)/dt &= k_{off} \cdot G\alpha GDP G\beta\gamma + k_{-1} \cdot C_1 + 2 \cdot k_{-1} \cdot C_2 + 3 \cdot k_{-1} \cdot C_3 + 4 \cdot k_{-1} \cdot C_4 - \\ &- G\beta\gamma \cdot (k_{on} \cdot G\alpha GDP + 4 \cdot k_1 \cdot C_0 + 3 \cdot k_1 \cdot C_1 + 2 \cdot k_1 \cdot C_2 + k_1 \cdot C_3) \\ d(G\alpha GDP)/dt &= k_{off} \cdot G\alpha GDP G\beta\gamma - k_{on} \cdot G\alpha GDP \cdot G\beta\gamma \\ d(C_0)/dt &= k_{-1} \cdot C_1 - 4 \cdot k_1 \cdot C_0 \cdot G\beta\gamma \\ d(C_1)/dt &= 2 \cdot k_{-1} \cdot C_2 + 4 \cdot k_1 \cdot C_0 \cdot G\beta\gamma - C_1 \cdot (k_{-1} + 3 \cdot k_1 \cdot G\beta\gamma) \\ d(C_2)/dt &= 3 \cdot k_{-1} \cdot C_3 + 3 \cdot k_1 \cdot C_1 \cdot G\beta\gamma - C_2 \cdot (2 \cdot k_{-1} + 2 \cdot k_1 \cdot G\beta\gamma) \\ d(C_3)/dt &= 4 \cdot k_{-1} \cdot C_4 + 2 \cdot k_1 \cdot C_2 \cdot G\beta\gamma - C_3 \cdot (3 \cdot k_{-1} + k_1 \cdot G\beta\gamma) \\ d(C_4)/dt &= k_1 \cdot C_3 \cdot G\beta\gamma - 4 \cdot k_{-1} \cdot C_4 \end{aligned}$$

where all symbols are defined as in the main text of the paper, and k_1 and k_{-1} are forward and reverse rate constants of GIRK-Gβγ interaction, respectively. We used $k_1 = 10^7 \text{ M}^{-1}\text{s}^{-1}$ and $k_{-1} = 0.5 \text{ s}^{-1}$. These rate constants of Gβγ and GIRK channel interaction are unknown, but these values are in Smoluchowski limit [1] and render $K_D = 50 \text{ nM}$ which we used in main calculations of our model.

The rate constants of interaction between $G\beta\gamma$ and $G\alpha_i$ were $k_{\text{off}} = 0.0013 \text{ s}^{-1}$ and $k_{\text{on}} = 0.7 \times 10^6 \text{ M}^{-1} \text{ s}^{-1}$ [2].

Supplemental discussion

Conversion from channel densities to concentrations.

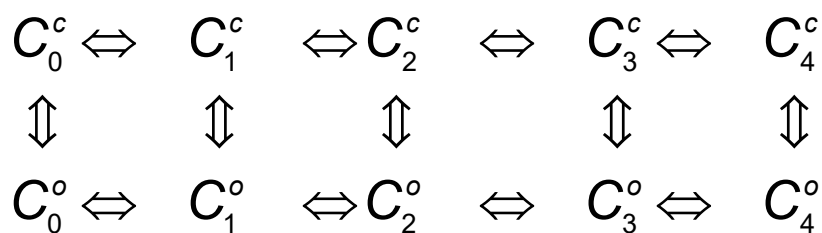
There is no consensus about the way the reaction rates are changed by the reduction of dimensionality [3,4,5]. Nevertheless, for proteins that interact in the submembrane cytosolic space conversion from two-dimensional rate constants and densities into three-dimensional rate constants and concentrations is a well-accepted paradigm. This is particularly useful, and has been used in the past, in calculations involving GPCRs and G proteins or effectors and G proteins (e.g. [6,7,8,9]).

GIRK1/2 stoichiometry.

Silverman et al. [10] have shown that GIRK1/4 channels with 2:2 stoichiometry are preferentially expressed in oocytes and contribute the majority of the macroscopic current, but 3:1 or 1:3 stoichiometry is viable (see also [11]). No such data are available for GIRK1/2. Generally speaking, for macroscopic currents, the exact subunit stoichiometry does not matter, because for a constant RNA ratio as used here (equal amounts of RNAs for both subunits), a relatively constant composition of channel population (in terms of stoichiometry) is expected, subject to natural variability. We cannot exclude the possibility that, in some single-channel recordings, we observed channels of unequal stoichiometry. Nevertheless, since simulations are based on average i_{single} and $P_{\text{o,max}}$ from a rather large sample of patches (since the closing of data collection for this paper, we have recorded more single GIRK1/2 channels and always obtain a similar $P_{\text{o,max}}$ around 0.11; data not shown), we posit that the average values of $P_{\text{o,max}}$ and i_{single} faithfully represent the population of channels seen in our macroscopic recordings.

Estimating steady-state open probability with the “separate gating transitions” model.

For clarity, here we present the separate gating transitions model from Fig. 2B using the notation which will be utilized in the following equations.



where C_x^c denotes concentration of channels occupied by x Gβγ molecules in closed state and C_x^o is the concentration of channels occupied by x Gβγ molecules in open state.

The open probability for the above scheme can be calculated according to:

$$P_o = \frac{\sum_{x=0}^{x=4} C_x^o}{\sum_{x=0}^{x=4} C_x^c + \sum_{x=0}^{x=4} C_x^o} \quad (S1)$$

The equilibrium constant K_x between C_x^c and C_x^o is

$$K_x = C_x^o / C_x^c \quad (S2)$$

and $P_{o,x}$ is the open probability of x Gβγ molecules occupied channel and can be defined as

$$P_{o,x} = \frac{C_x^o}{C_x^o + C_x^c} = \frac{K_x}{1 + K_x} \quad (S3)$$

If C_x is the concentration of channels occupied by x Gβγ molecules, then

$$C_x = C_x^c + C_x^o \quad (S4)$$

and if C_{total} is total channel concentration, then

$$C_{total} = \sum_{x=0}^{x=4} C_x = \sum_{x=0}^{x=4} C_x^c + \sum_{x=0}^{x=4} C_x^o \quad (S5)$$

Thus (S1) can be rearranged

$$P_o = \frac{\sum_{x=0}^{x=4} C_x^o}{C_{total}} \quad (S6)$$

Solving (S2) and (S4) for C_x^o renders

$$C_x^o = \frac{K_x}{(1 + K_x)} \cdot C_x \quad (S7)$$

Substituting (S3) into (S7) renders

$$C_x^o = P_{o,x} \cdot C_x \quad (S8)$$

Substituting (S8) into (S6) renders

$$P_o = \frac{\sum_{x=0}^{x=4} P_{o,x} \cdot C_x}{C_{total}} \quad (S9)$$

If $f_{p,x}$ is the fraction of $P_{o,max}$ (maximal observable P_o) and is defined as $f_{p,x} = P_{o,x}/P_{o,max}$ and ϕ_x is the fraction of channels occupied by x G $\beta\gamma$ molecules (defined as $\phi_x = C_x/C_{total}$), then substitution of definitions of $f_{p,x}$ and ϕ_x to (S9) will render

$$P_o = P_{o,max} \cdot \sum_{x=0}^{x=4} f_{p,x} \cdot \phi_x \quad (S10)$$

This equation is identical to Equation 6 (Methods).

The graded contribution model and the more elaborated independent gating transitions model will predict distinct single channel behavior of GIRK1/2, which may need to be investigated in detail to distinguish between the two models. Nevertheless, as shown above, the description of steady-state P_o by the two models converges to Equation 6 (Methods), suggesting that this is a general equation which can describe GIRK1/2 macroscopic gating for any number of open states. As a consequence, the two models should produce identical fractional macroscopic steady-state currents ($P_o/P_{o,max}$, where $P_{o,max}$ is equivalent to $I/I_{\beta\gamma}$, where I is either I_{basal} , I_{total} or I_{evoked}) once the channel is occupied by x G $\beta\gamma$. In other words, for steady state description of macroscopic currents that we present in our study, the results are expected to be the similar both for the graded contribution model as well as for the more elaborated independent gating transitions model.

Supplemental References

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Supplemental Table 1

Table S1. Effect of coexpression of $G\alpha_{i3}$ on GIRK1/2 currents in oocytes. Data are from 2 to 4 experiments, for each group, shown as mean \pm SEM. We did not include experiments with extremely large $G\alpha_{i3}$ RNA quantities, as expression of higher doses of $G\alpha_{i3}$ usually reduced I_{total} , indicating a general G $\beta\gamma$ scavenging effect rather than priming [12,13].

50-200 pg GIRK1/2 (n=10)				50-200 pg GIRK1/2+0.5-2 ng G α_{i3} (n=10)			
I_{basal} (μ A)	I_{evoked} (μ A)	I_{total} (μ A)	R_a	I_{basal} (μ A)	I_{evoked} (μ A)	I_{total} (μ A)	R_a
4.8 \pm 0.42	4.2 \pm 0.76	9.1 \pm 1	1.9 \pm 0.14	1.2 \pm 0.2	6.8 \pm 0.9	8.0 \pm 0.7	10.5 \pm 2.7
0.5-1 ng GIRK1/2 (n=27)				0.5-1 ng GIRK1/2 + 5-10 ng G α_{i3} (n=16)			
I_{basal} (μ A)	I_{evoked} (μ A)	I_{total} (μ A)	R_a	I_{basal} (μ A)	I_{evoked} (μ A)	I_{total} (μ A)	R_a
12.6 \pm 0.7	2.5 \pm 0.3	15.1 \pm 0.8	1.2 \pm 0.03	2.4 \pm 0.6	11.5 \pm 0.8	13.9 \pm 1.2	10.4 \pm 1.7

Supporting Figures

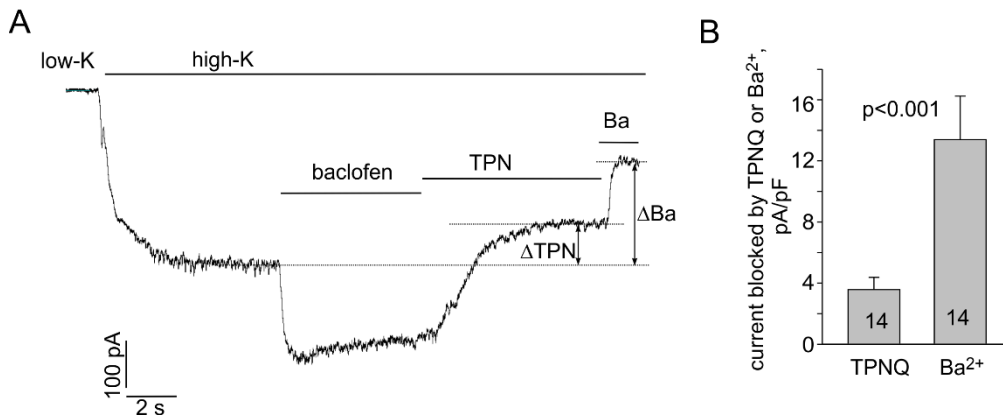


Fig. S1. Block of inward currents in cultured hippocampal neurons by TPNQ and Ba²⁺. **(A)** Ba²⁺ (1 mM) blocks a greater fraction of the total inward current in high-K⁺ solution, compared to TPNQ (120 nM). The experimental protocol was the same as in Fig. 1, with the additional step of Ba²⁺ addition after TPNQ. ΔTPN and ΔBa denote the magnitudes (shown by double-headed arrows) of TPNQ- and Ba-blocked currents, respectively. Note that Ba²⁺ blocked a much greater fraction of the total inward current in high-K⁺ solution, most probably of the block of additional Ba²⁺-sensitive channels present in these neurons. **(B)** Comparison of average TPNQ- and Ba²⁺-blocked currents in 14 cells of one batch of neurons. Statistical significance ($p < 0.001$) was determined using Wilcoxon Signed Rank test (the data did not pass normality test).

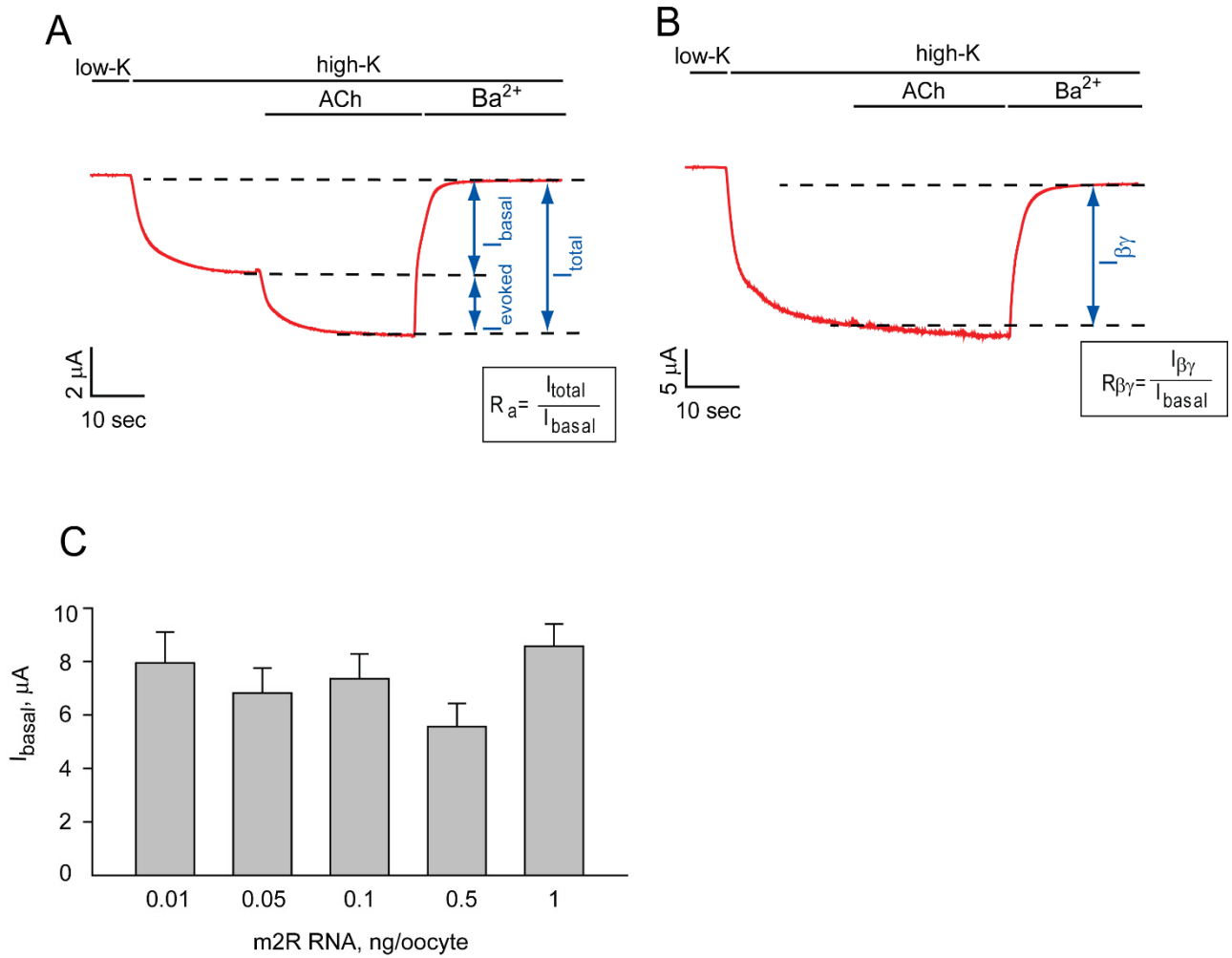


Fig. S2. GIRK1/2 currents in oocytes. Holding potential was -80 mV, low-K⁺ and high-K⁺ solutions contained 2 and 24 mM K⁺, respectively (K⁺ was replaced for Na⁺). Net GIRK currents were determined by subtracting the current remaining after the addition of 5 mM BaCl₂. **(A)** I_{basal} and I_{evoked} in an oocyte expressing m2R, GIRK1 and GIRK2. Calculation of R_a was done in every cell from its own I_{basal} and I_{evoked} . **(B)** $I_{\beta\gamma}$ in an oocyte expressing m2R, GIRK1, GIRK2 and G $\beta\gamma$. Note that adding ACh did not evoke a significant additional GIRK current, suggesting full activation by G $\beta\gamma$. $R_{\beta\gamma}$ was calculated in each cell by dividing its own $I_{\beta\gamma}$ by the average $I_{\beta\gamma}$ from the control group of the same experiment in which no G $\beta\gamma$ was coexpressed. **(C)** Expression of m2R in a wide range of doses does not affect I_{basal} . 5-8 oocytes have been tested in each group. There were no significant differences between treatments as tested by one-way ANOVA.

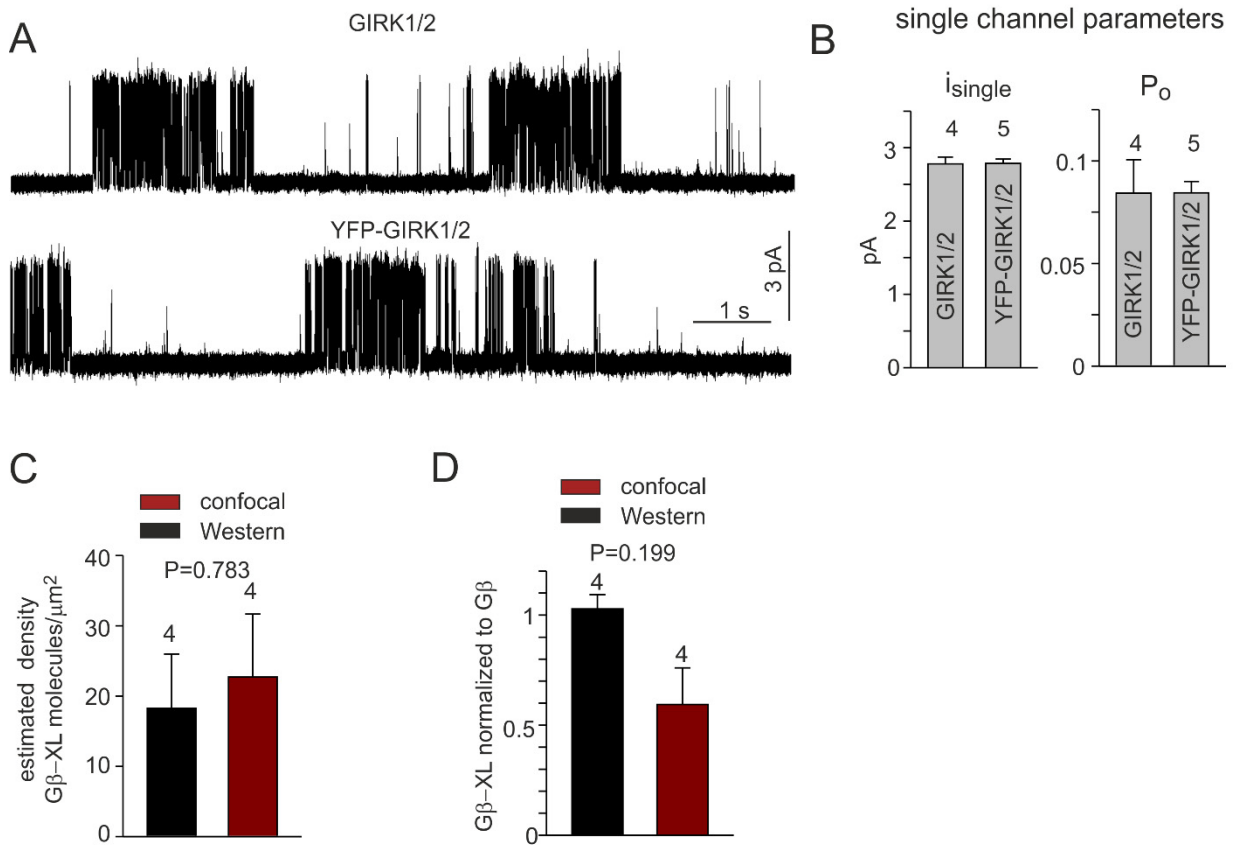


Fig. S3. Characterization of YFP-labeled GIRK1 and Gβ. (A, B) Single channel parameters of GIRK1/2 and YFP-GIRK1/2 channels are very similar. (A) Cell-attached records of channel activity expressing the channel and Gβγ (5 ng RNA). (B) Comparison of average i_{single} and P_o . Data are from oocytes of the same batch, recorded during a two-day experiment. (C, D) The anti-Gβ antibody similarly recognizes YFP-labeled bovine and *Xenopus* Gβ subunits in Western blots of manually peeled plasma membranes. Data are from 4 separate experiments. For Western blots, 15 to 20 plasma membranes were pooled. For confocal imaging, groups of 3-16 oocytes were examined, and the average fluorescence level was compared with that of YFP-GIRK1/2 (therefore the statistical significance was calculated using paired t-test). The density of the latter was calculated from the measurement of currents as explained in the text. In each experiment, both confocal imaging, current measurement and Western blots of manually peeled membranes were done in oocytes of the same donor. There was a good agreement for surface density estimates of YFP-Gβ-XL from confocal "molecular ruler" measurements and from quantitative Western blots, either in absolute terms as molecules/ μm^2 (C) or in relative terms, normalized to estimates of YFP-Gβ in each experiment (D). YFP fluorescence can be safely assumed to be independent of the species of fused Gβ (mammalian or *Xenopus*). Therefore, similar estimates of surface density observed from confocal imaging and Western blots suggest that the Gβ antibody used here recognizes the oocyte's endogenous Gβ in Western blots similarly to the coexpressed mammalian (bovine) Gβ₁.

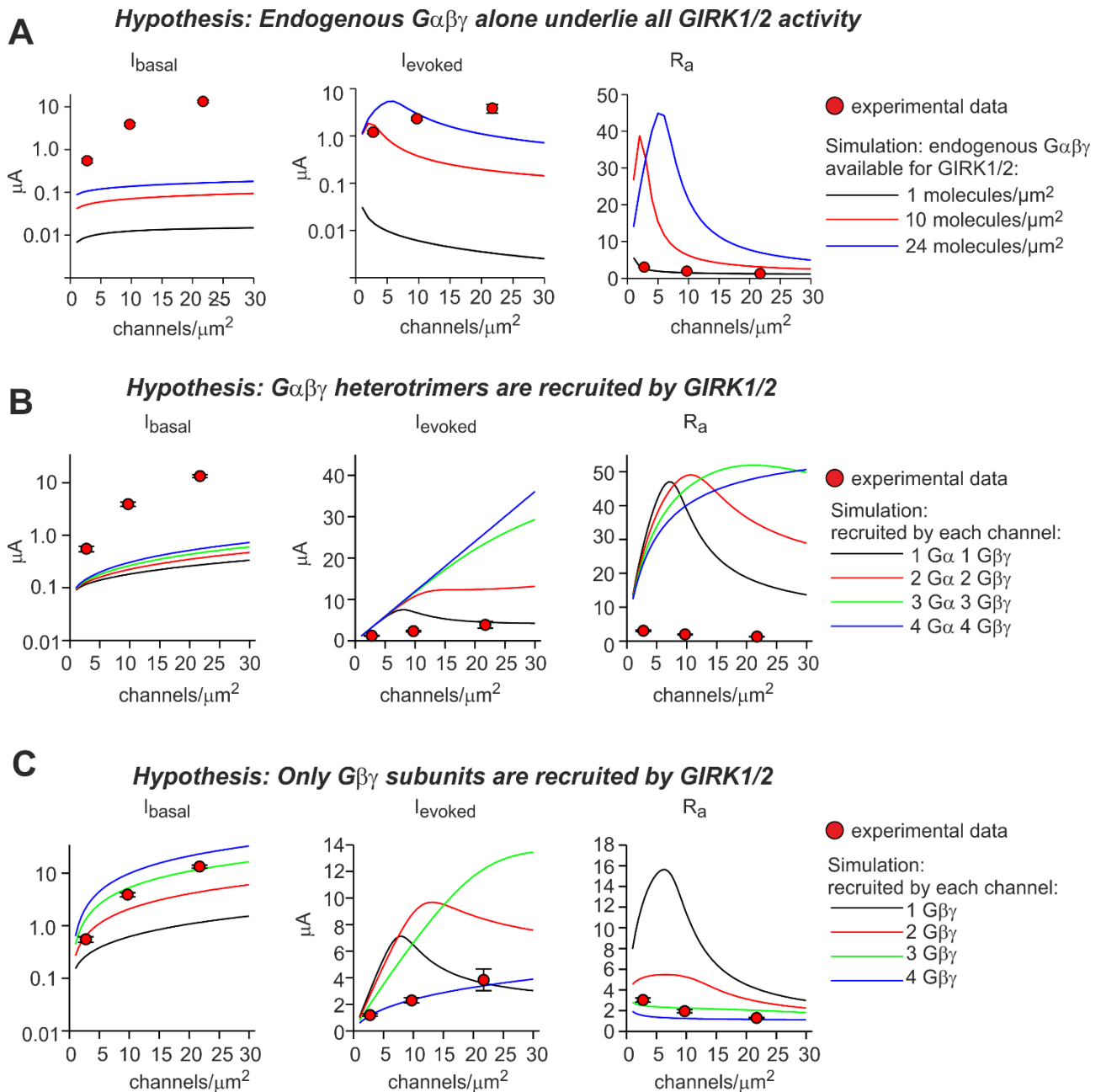


Fig. S4. Simulation of density-dependent changes in whole-cell GIRK1/2 activity. Experimental data (from Table 1) are shown as red circles (mean \pm SEM). The simulations of currents and R_a were done using the graded contribution model. **(A)** Testing the hypothesis that the endogenous $G\alpha\beta\gamma$ heterotrimers are the only source of $G\beta\gamma$ for GIRK activation; I_{basal} is due to spontaneous dissociation of $G\alpha\beta\gamma$ into $G\alpha^{\text{GDP}}$ and $G\beta\gamma$ (see Fig. 2A). Simulations were performed assuming that only part (1 or 10 molecules/ μm^2 , black and red curves) or all (24 molecules/ μm^2 , blue curves) endogenous G proteins can donate $G\beta\gamma$ to activate GIRK1/2. Note that no satisfactory description of data can be obtained under any of these conditions. The simulated I_{basal} is too low; for high channel densities, also the full I_{evoked} could not be obtained even assuming that all endogenous $G\alpha\beta\gamma$ (i.e. all 24 molecules/ μm^2) could release $G\beta\gamma$ and activate GIRK. **(B)** Testing the hypothesis that the expressed GIRK1/2 recruits additional endogenous G protein subunits to the PM, e.g.

from other cellular compartments. Simulations were done assuming that each GIRK1/2 channel recruits from 1 to 4 $G_{i/o}$ heterotrimers. The recruited $G\alpha$ and $G\beta\gamma$ were added to the pre-existing endogenous plasma membrane-attached $G\alpha\beta\gamma$ before $G\beta\gamma$ expression. **(C)** Testing the hypothesis that the expressed GIRK1/2 recruits additional endogenous $G\beta\gamma$, but not $G\alpha$, to the PM; the rest was done as in B. Calculations in (B) and (C) assumed 24 molecules/ μm^2 of endogenous $G_{i/o}$ available for GIRK. Similar results were obtained assuming 10 molecules/ μm^2 (data not shown). Simulations as in A-C were also done with the concerted model, yielding similar results (data not shown).

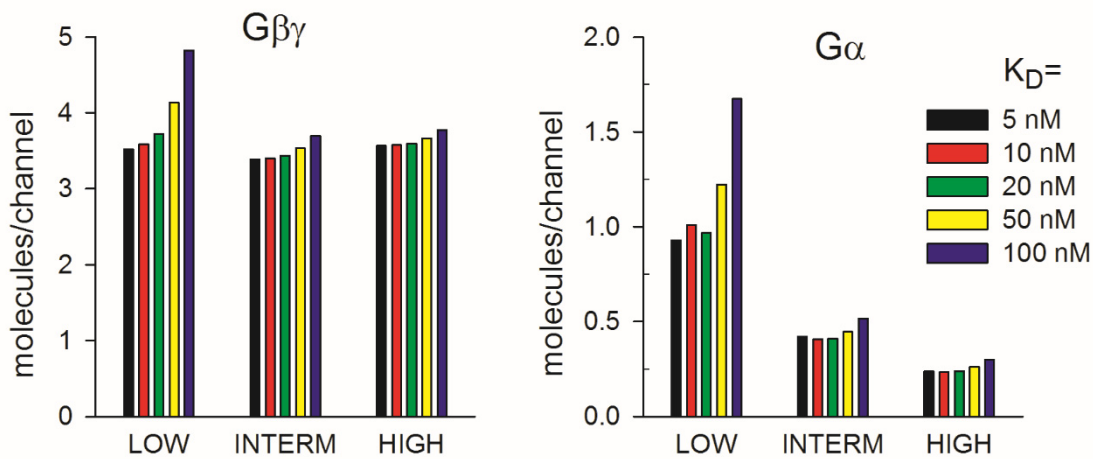


Fig. S5. The concerted activation model supports the unequal stoichiometry estimates of $G\beta\gamma$ and $G\alpha$ available for GIRK1/2. The plots present the calculated amounts of $G\beta\gamma$ and $G\alpha$ available for GIRK1/2 using the concerted model for a range of K_D for the GIRK- $G\beta\gamma$ interaction (5-100 nM), for the three channel density groups of Table 1.

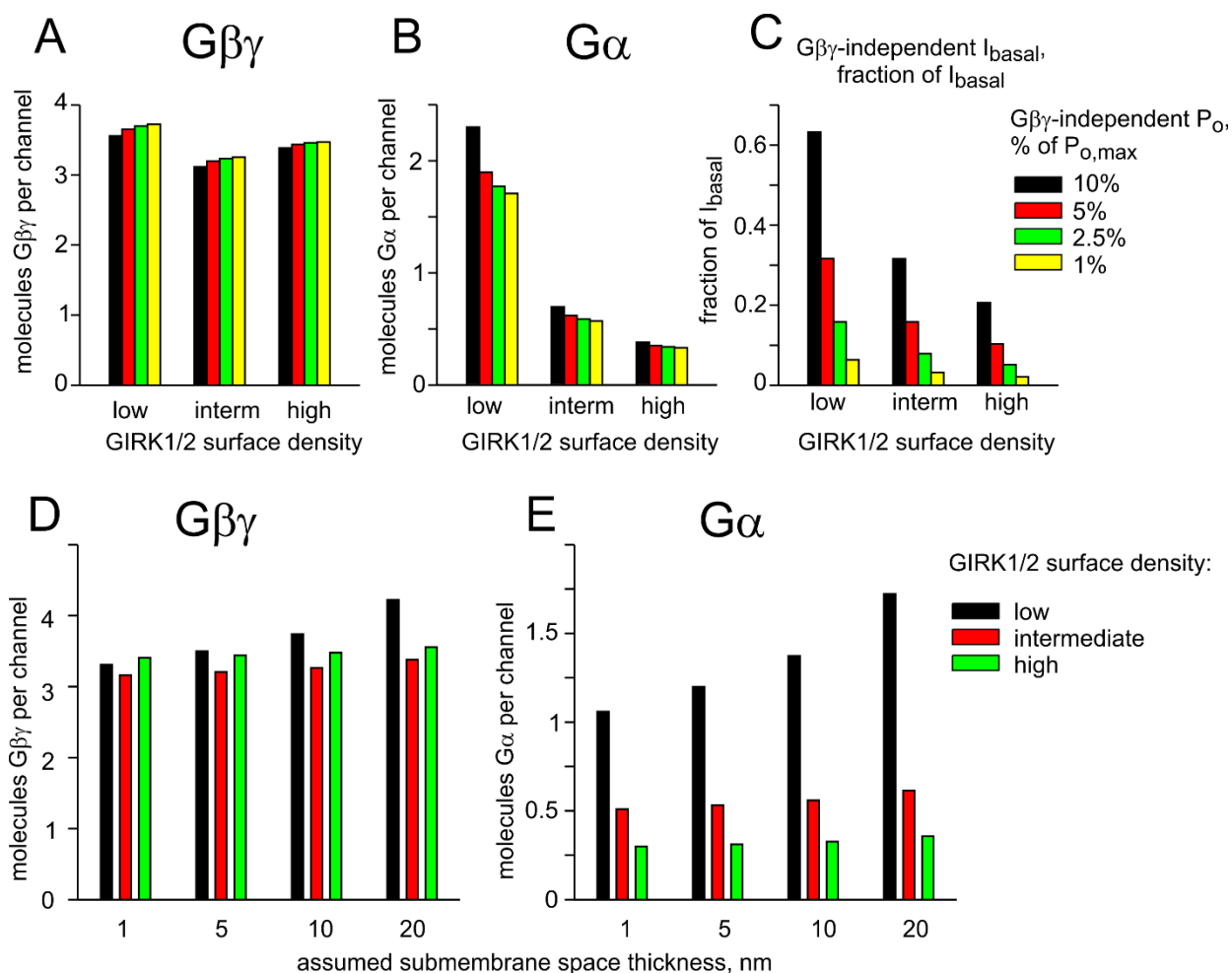


Fig. S6. The presence of $G\beta\gamma$ -independent intrinsic activity and the dimensions of submembrane reaction space do not significantly alter the estimates of GIRK1/2-available G proteins subunits.

Calculations were done assuming $K_D=50$ nM for the GIRK- $G\beta\gamma$ interaction. **(A-C)**, the impact of $G\beta\gamma$ -independent basal activity. Calculation were done for $G\beta\gamma$ -independent intrinsic activity of a single channel ranging from 1% to 10% of $P_{o,\text{max}}$. Available $G\beta\gamma$ **(A)**, $G\alpha$ **(B)** and the $G\beta\gamma$ -independent fraction of I_{basal} **(C)** were calculated for the three channel density groups of Table 1. **(D, E)** Varying the submembrane space thickness in a wide range, 1-20 nm, does not significantly change the estimates of functional stoichiometry of GIRK1/2- $G\beta\gamma$ - $G\alpha$.

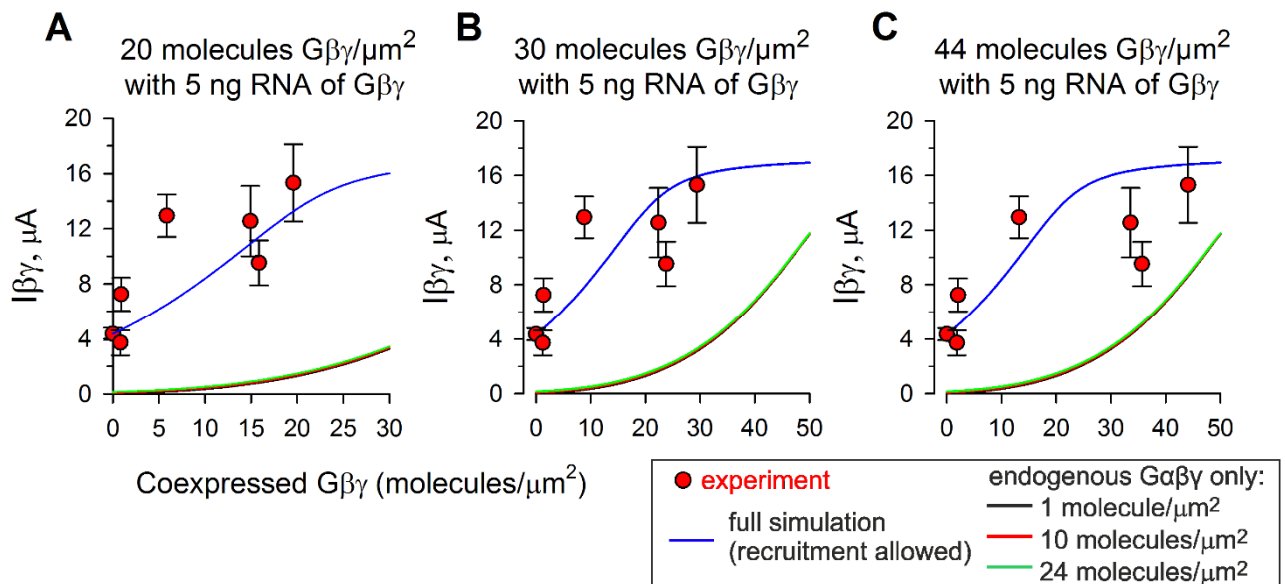


Fig. S7. Simulations of the $G\beta\gamma$ dose-response experiment for a range of assumed $G\beta\gamma$ densities.

Because in the experiment of Fig. 7 the actual density of $G\beta\gamma$ in the PM has not been directly measured, the calculations of Fig. 7C assumed that it was equal to the average density of 30 $G\beta\gamma$ molecules/ μm^2 (with 5 ng RNA), as measured in other 4 experiments done during the same time period. Here, we run simulations as in Fig. 7C for 20 or 44 molecules $G\beta\gamma/\mu\text{m}^2$ (**A**, **C**) and compare the result with that of Fig. 7C (shown here again in **B** for a direct comparison). The color codes are as in Fig. 7: the blue line presents the simulation using graded contribution model and amounts of $G\alpha$ and $G\beta\gamma$ (without coexpressed $G\beta\gamma$) calculated as explained in Fig. 7 legend, and red, black and green lines show simulation with endogenous G proteins only and no $G\beta\gamma$ recruitment allowed.

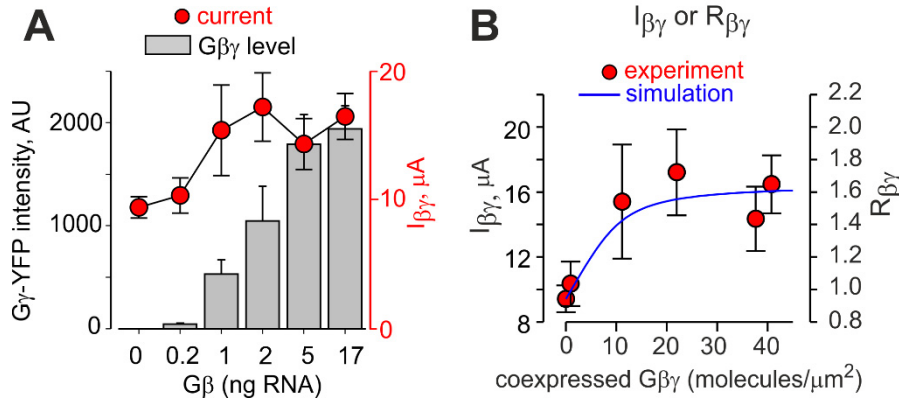


Fig. S8. Another experiment on dose-dependent activation of GIRK1/2 by coexpressed Gβγ. The presentation is similar to that of Fig. 7. Gβ was coexpressed with Gγ-YFP in incremental doses, and with a constant amount (1 ng RNA) of wt GIRK1/2. RNA of Gγ-YFP was always half of that of Gβ RNA, by weight. **(A)** Gβγ-YFP fluorescence levels (grey bars, left Y-axis) and GIRK currents (red circles, right Y-axis) are shown on the same plot. GIRK1/2 density, calculated from $I_{\beta\gamma}$ of the 17 ng Gβγ-YFP group, was 13 molecules/μm². In addition, we injected YFP-GIRK1/GIRK2 (5 ng GIRK1-YFP) and measured I_{basal} which was 8.4 ± 1.1 μA ($n=11$), comparable to I_{basal} of unlabeled GIRK1/2 (9.4 ± 0.8 μA). Thus, we assumed the same density of ~13 channels/μm² for labeled and unlabeled channels. Since the YFP-GIRK1/2 gave a fluorescent signal of 1237 ± 221 AU ($n=7$), this signal was assumed to correspond to 26 YFP molecules/μm². This number was used as the basis of calculations of Gβγ-YFP density for plots shown in B. **(B)** Comparison of measured $I_{\beta\gamma}$ or $R_{\beta\gamma}$ (red circles) and simulated currents or $R_{\beta\gamma}$ (blue curves). The left and right Y-axes are related to $I_{\beta\gamma}$ and $R_{\beta\gamma}$, respectively. Available Gα and Gβγ (before Gβγ coexpression) were estimated from I_{total} and I_{basal} , giving 3.82 and 0.42 molecules/μm² of Gβγ and Gα, respectively.

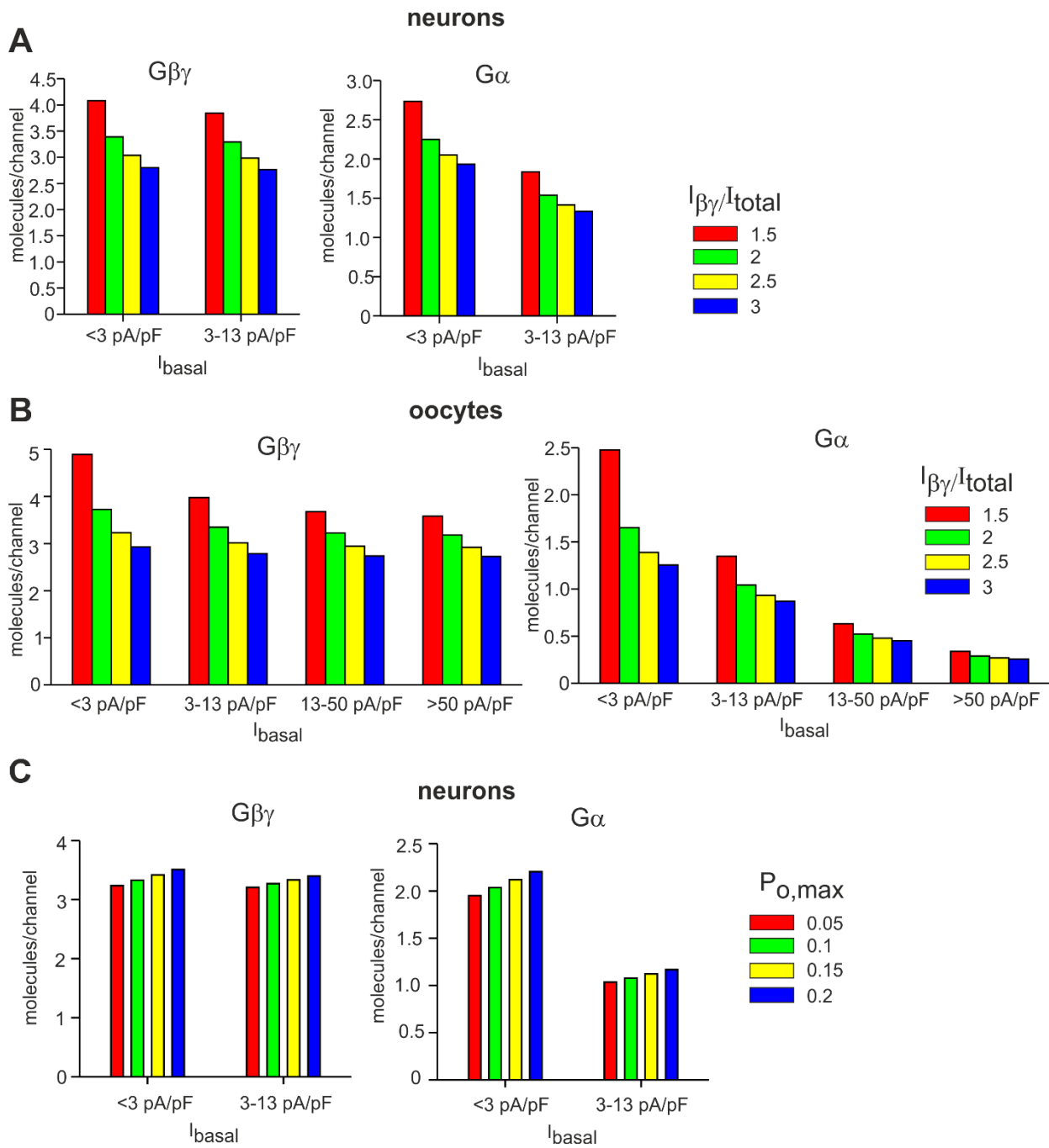


Fig. S9. Estimated stoichiometries of $G\alpha$ and $G\beta\gamma$ available for GIRK in neurons and oocytes in a range of $I_{\beta\gamma}/I_{\text{total}}$ ratios and $P_{o,\text{max}}$. Whereas for the oocytes the actual $I_{\beta\gamma}/I_{\text{total}}$ ratio and $P_{o,\text{max}}$ are known, in neurons these parameters are not known. Both parameters affect the calculated channel density and could affect the estimates of stoichiometry. The calculations shown in this Figure demonstrate the same general trend in stoichiometries of GIRK1/2, $G\beta\gamma$ and $G\alpha$ as we have found in the previous analysis in the oocytes, in a range of $I_{\beta\gamma}/I_{\text{total}}$ ratios (for neurons and oocytes; **A** and **B**) and $P_{o,\text{max}}$ (for neurons; **C**). The estimates of $G\beta\gamma$ are around 3-4/channel and relatively independent of I_{basal} , and those of $G\alpha$ are below 2 and drop sharply with the increase in I_{basal} . Generally, the lowest channel density is most sensitive to perturbations, and, for the lowest simulated $I_{\beta\gamma}/I_{\text{total}}$ ratio, calculated $G\beta\gamma/\text{channel}$ and $G\alpha/\text{channel}$ exceed our usual estimates.